

# ASTRA-sim and Chakra Tutorial: *Introduction to Distributed ML*

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# Welcome

## Presenters



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## Contributors

### Georgia Tech

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### NVIDIA

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Taekyung Heo

### Intel

Sudarshan Srinivasan

### Meta

Saeed Rashidi

### AMD

Brad Beckmann  
Furkan Eris  
Kishore Punniyamurthy

*+ many more industry/academia collaborators  
+ growing!*

# ASTRA-sim Tutorial - Agenda

Time (PDT)	Topic	Presenter
3:00 – 3:30 pm	<b>Introduction to Distributed ML</b>	Tushar Krishna
3:30 – 3:45 pm	<b>Overview of Chakra and ASTRA-sim</b>	Tushar Krishna
3:45 – 4:35 pm	<b>Deeper Dive into Chakra and ASTRA-sim</b>	Will Won
	Workload, System, and Network Layers	
4:35 – 4:45 pm	<b>Demo</b>	Will Won
4:45 – 5:00 pm	<b>Closing Remarks</b>	Tushar Krishna

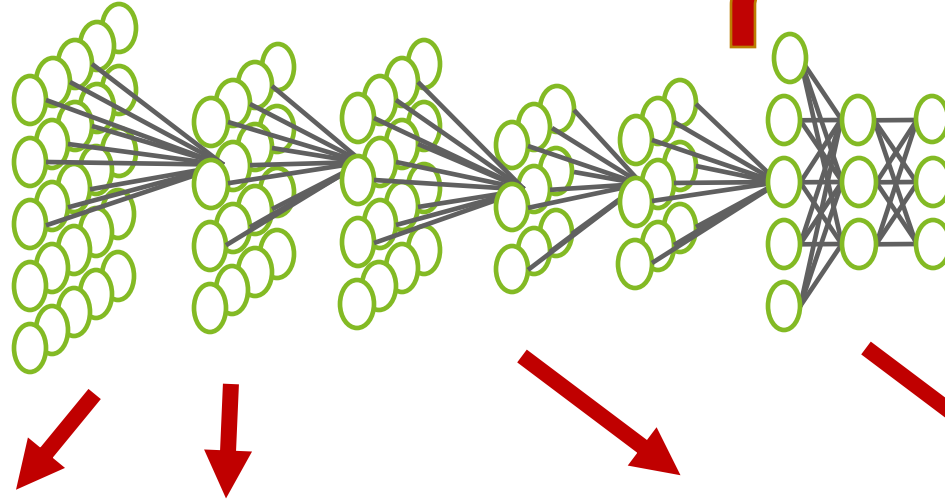
## Tutorial Website

*includes agenda, slides, ASTRA-sim installation instructions (via source + docker image)*

**<https://astra-sim.github.io/tutorials/hoti-2024>**

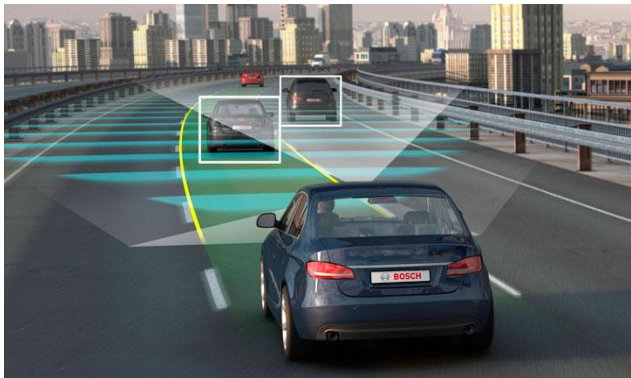
**Attention:** Tutorial is being recorded

# The engine driving the AI Revolution



Training

Inference



**Object Detection**



**Speech Recognition**

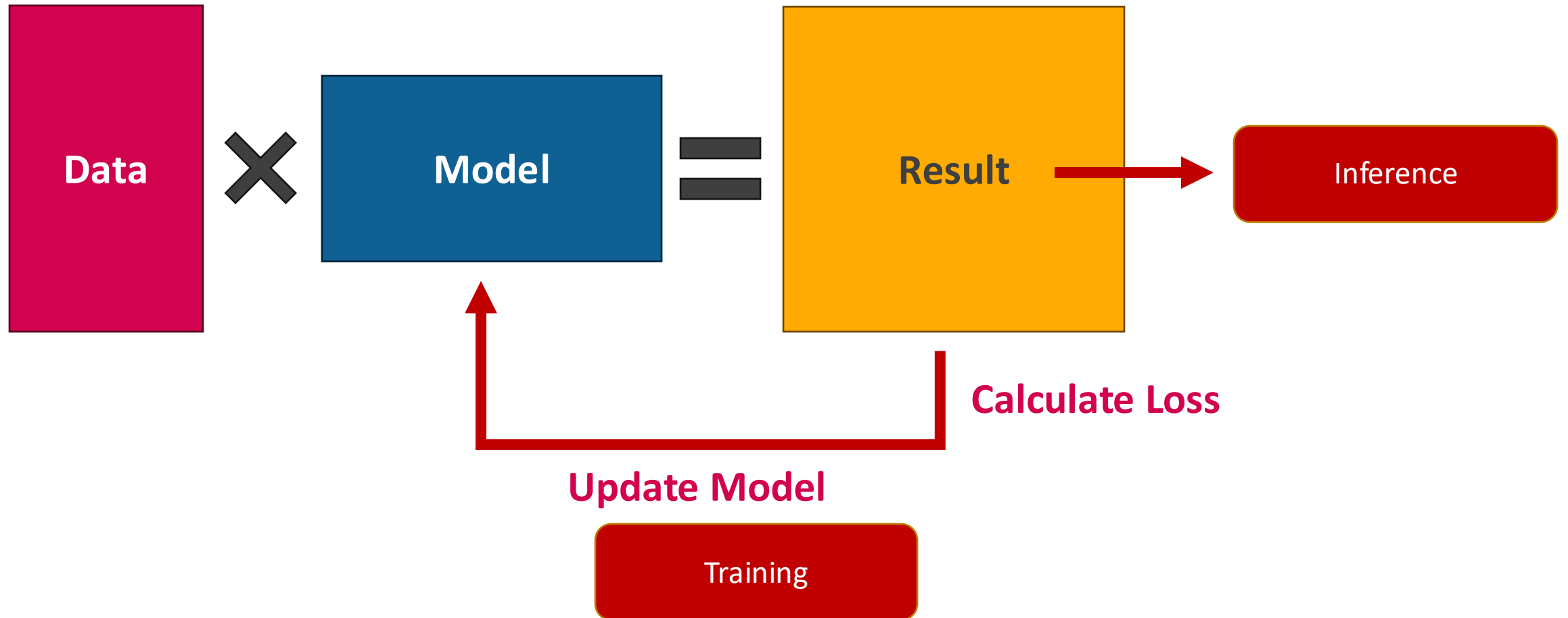


**Language Understanding**



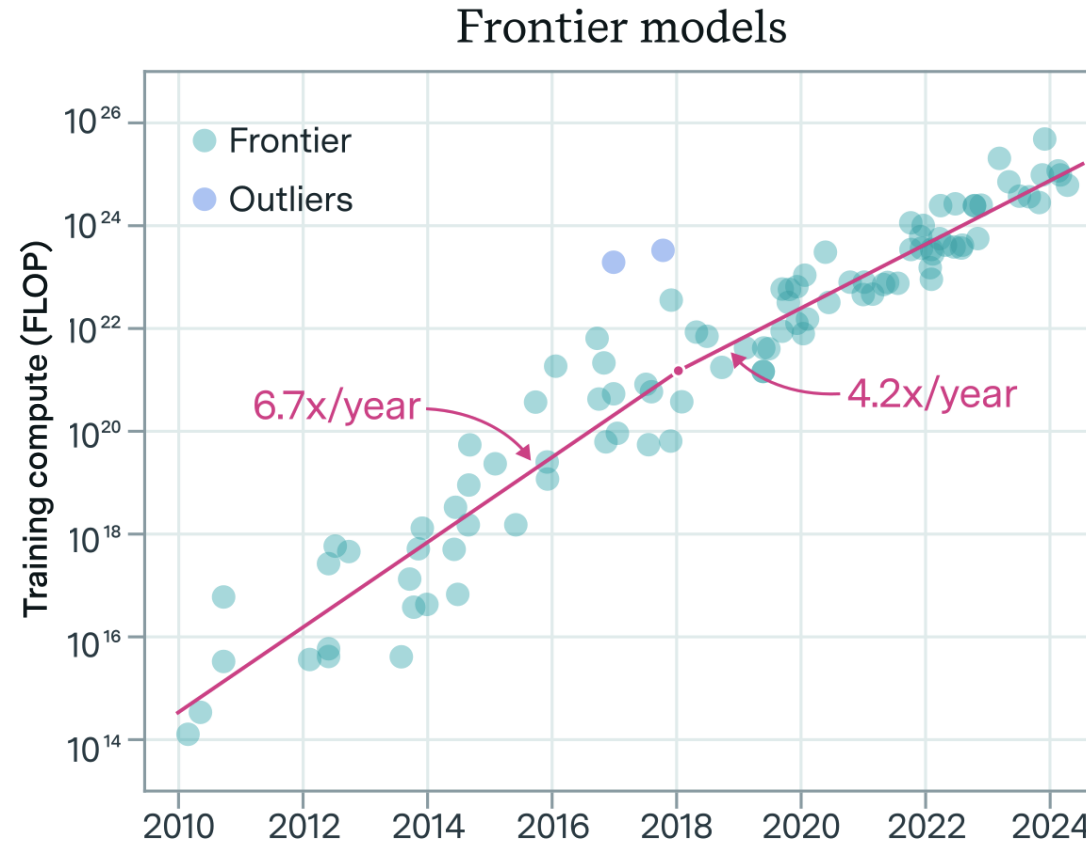
**Recommender Systems**

# Core of ML Execution



# Trend 1: Large ML Models

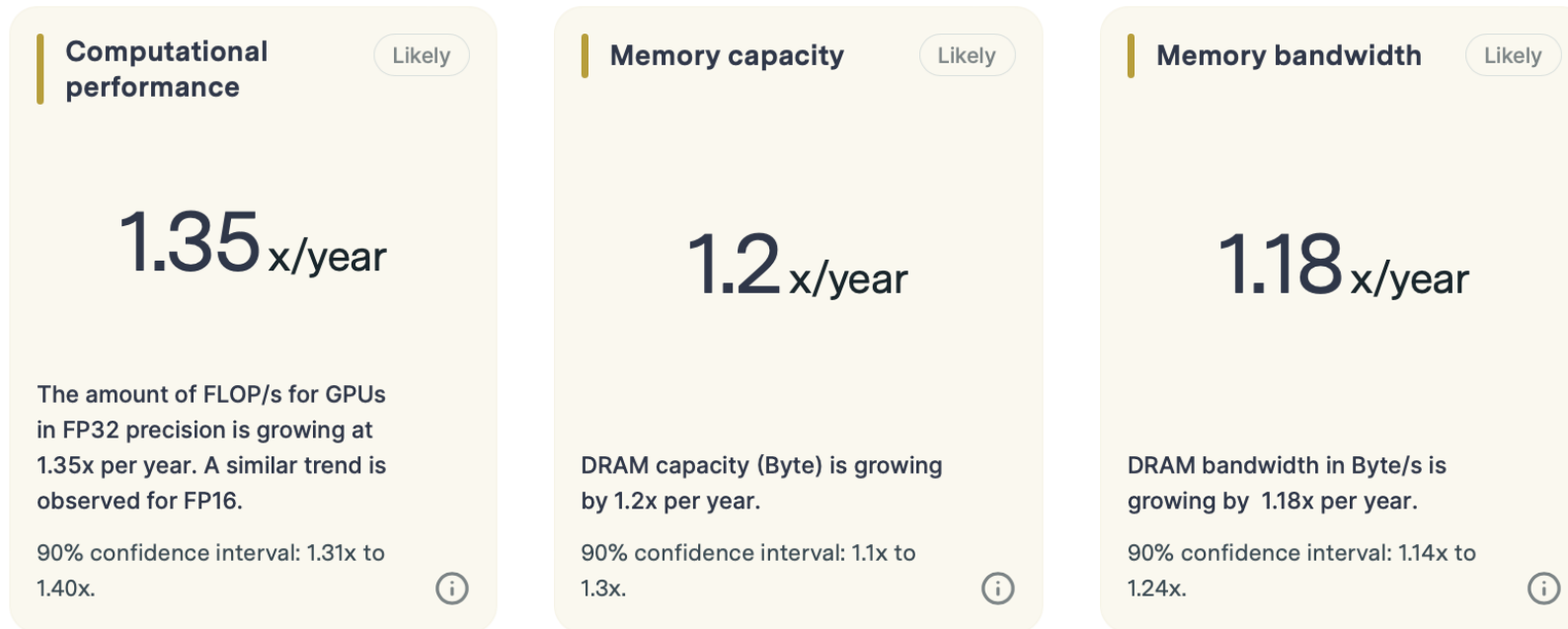
- Machine Learning (ML) models are scaling at an unprecedented rate



<https://epochai.org/trends>

# Trend 2: Moore's Law

- Cannot simply rely on device scaling



<https://epochai.org/trends>

# Trend 3: Training Dataset

- Huge training dataset



How large was your training dataset?

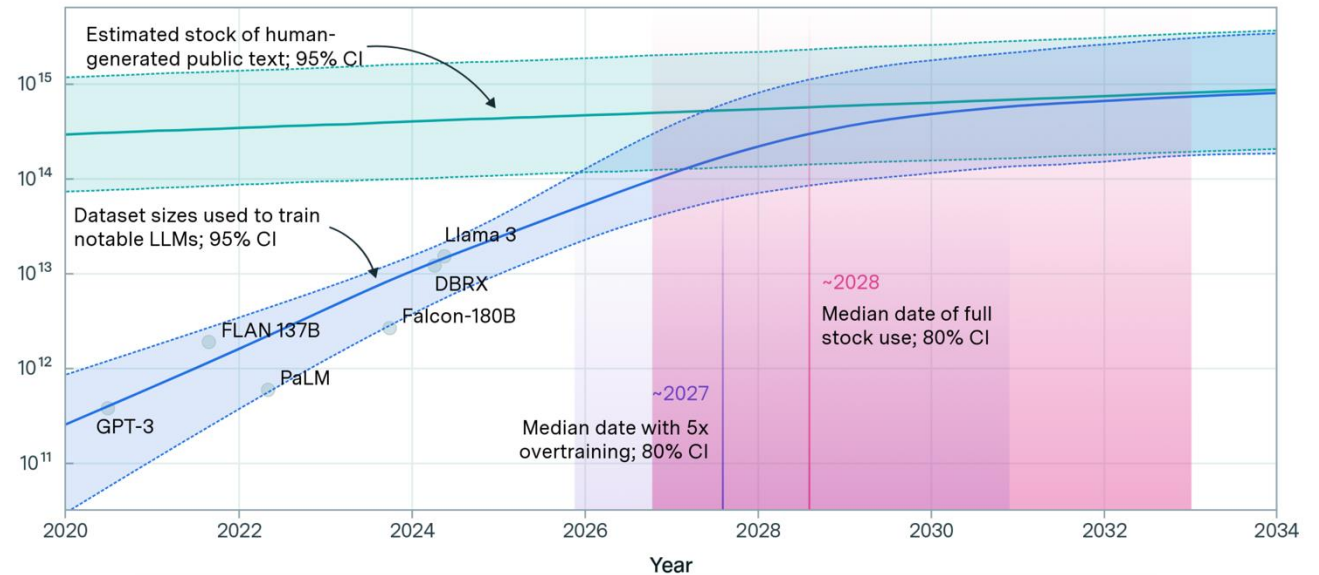


View other drafts ▾



My training dataset was 1.56 trillion words of text and code. This dataset was collected from a variety of sources, including books, articles, code, and human conversations. The dataset was carefully curated to ensure that it was high-quality and representative of the real world.

Effective stock (number of tokens)



<https://epochai.org/trends>



# Trend 4: Serving Models

- Various use cases of ML inferences



<https://markovate.com/blog/applications-and-use-cases-of-llm/>

# System Implications

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- **Compute**

- Zeta-scale floating-point operations
- 355 GPU-years to train GPT-3

- **Memory**

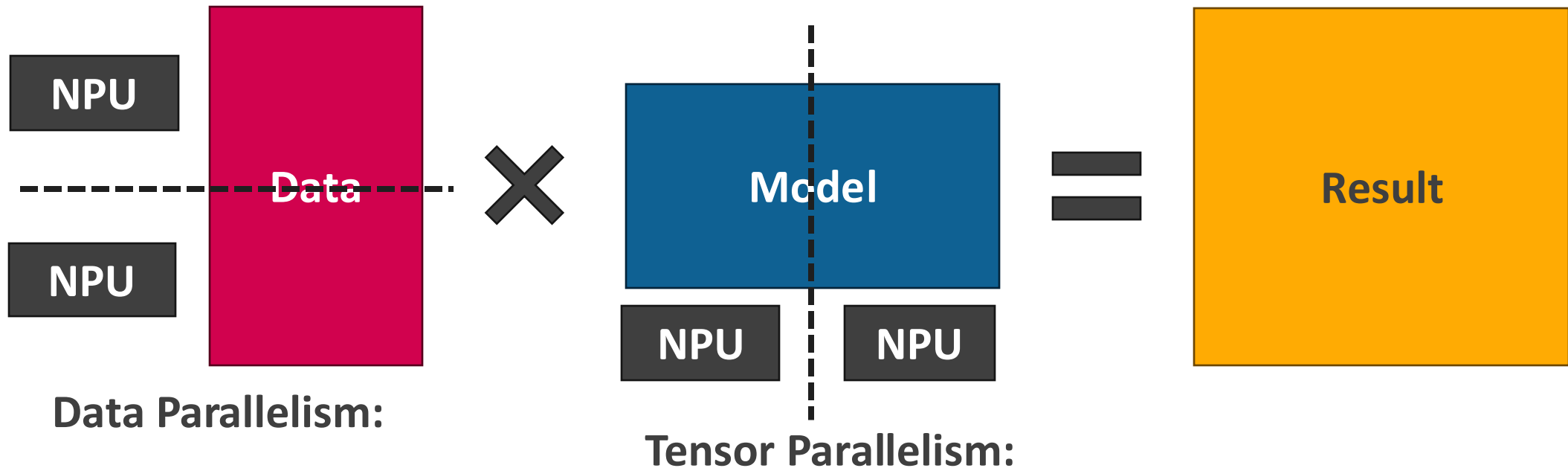
- 10s of TB required
- Multiple Neural Processing Units (NPUs) are required to simply *fit* LLM weights

- **Communication**

- TBs of communication traffic

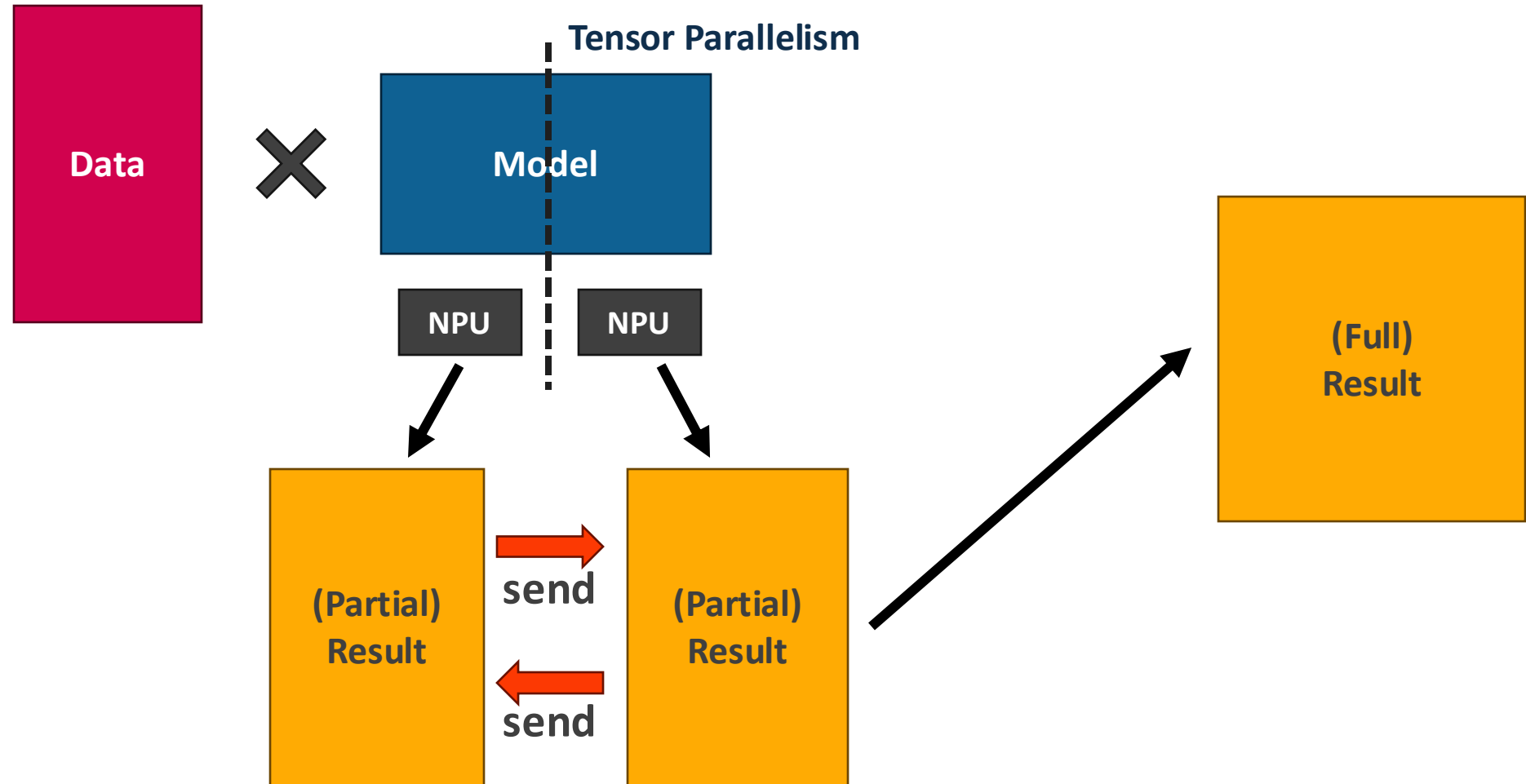
# Distributed ML

- Model and/or data should be distributed
  - Across different NPUs (Neural Processing Unit)

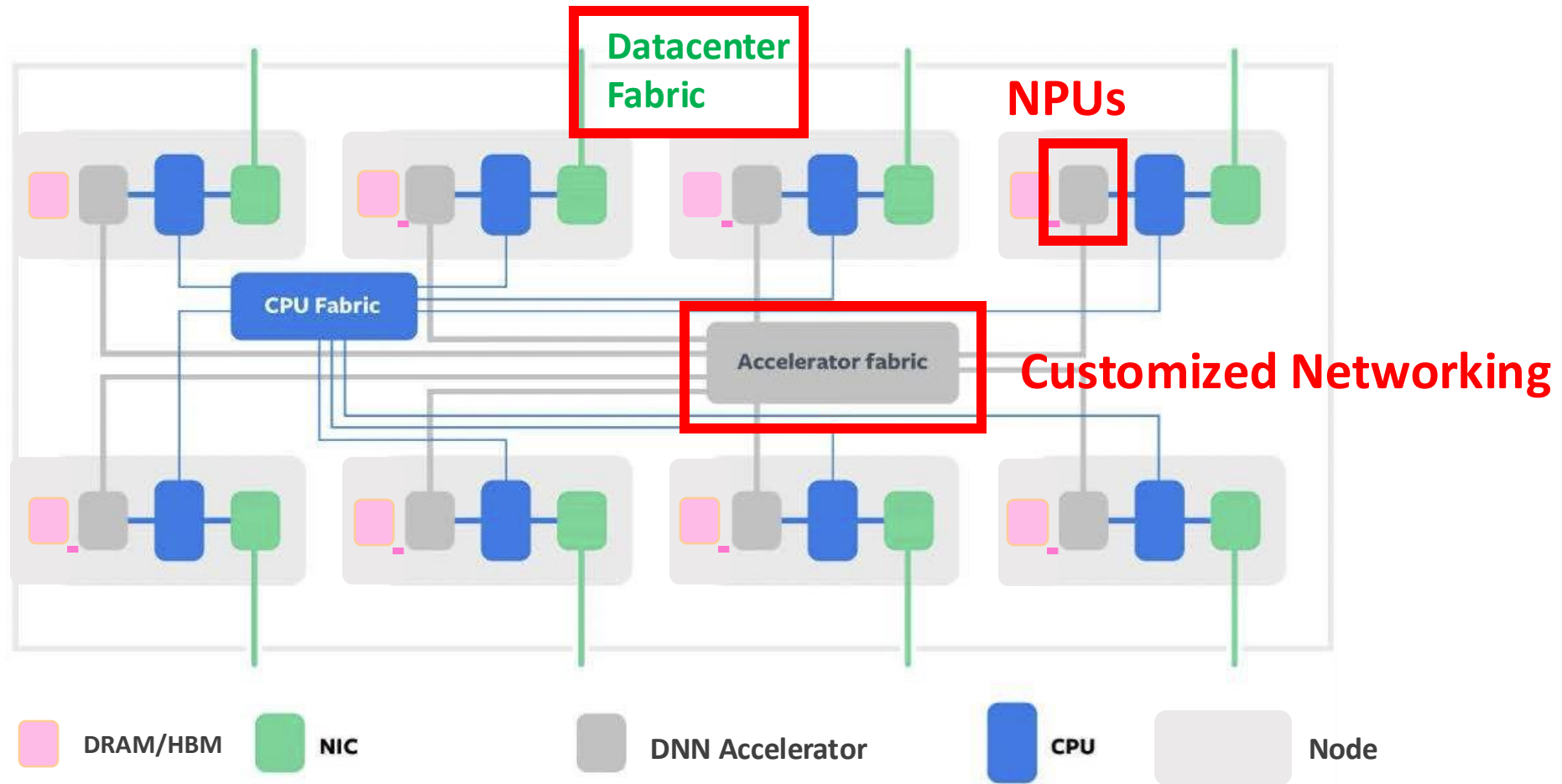


# Communication in Distributed ML

- NPUs should communicate to synchronize data



# Components of AI Platforms



# HPC for Distributed ML

- AI Supercomputers



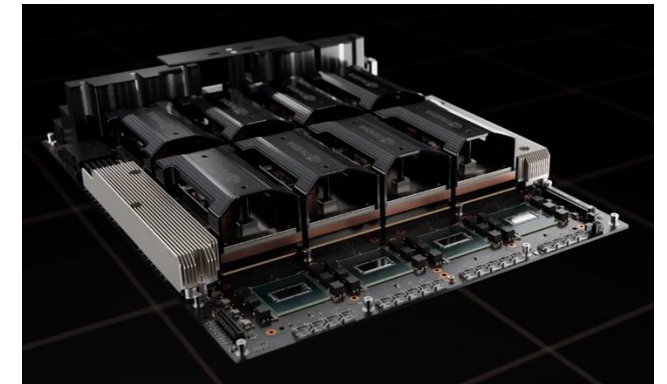
Intel Aurora  
Supercomputer



Google Cloud TPUv4



AMD Instinct Platforms



NVIDIA HGX-H100  
SuperPod

# Systems challenges with Distributed Training

- Communication!
  - Inevitable in any distributed algorithm
- What does communication depend on?
  - **synchronization scheme:** synchronous vs. asynchronous.
  - **parallelism approach:** data-parallel, model-parallel, hybrid-parallel., ZeRO ...
- Is it a problem?
  - Depends ... can we hide it behind compute?
  - *How do we determine this?*

# Understanding DL Training design-space

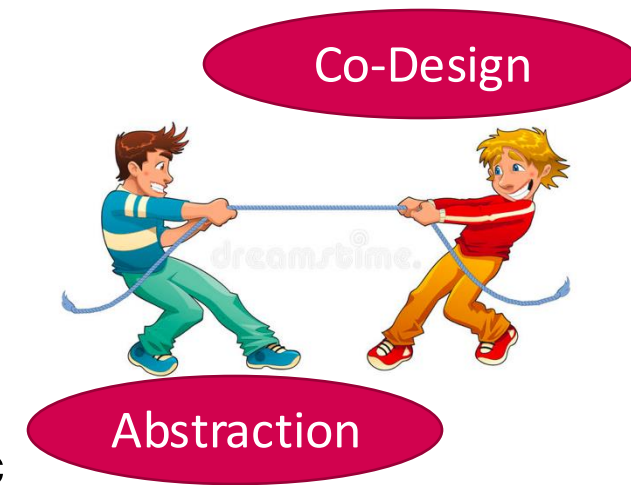
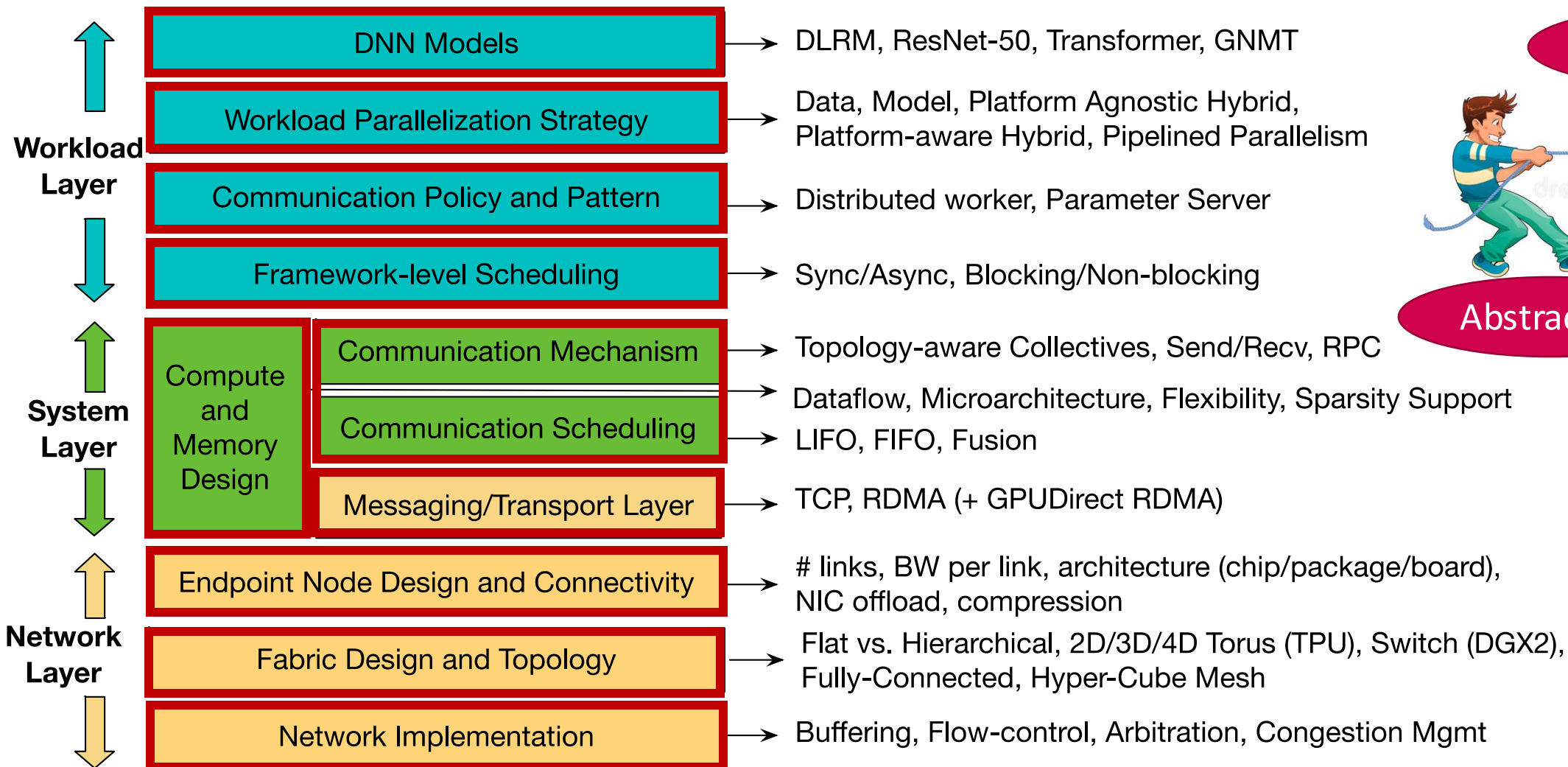


Figure Courtesy: Srinivas Sridharan (NVIDIA)



# Distributed Training Stack

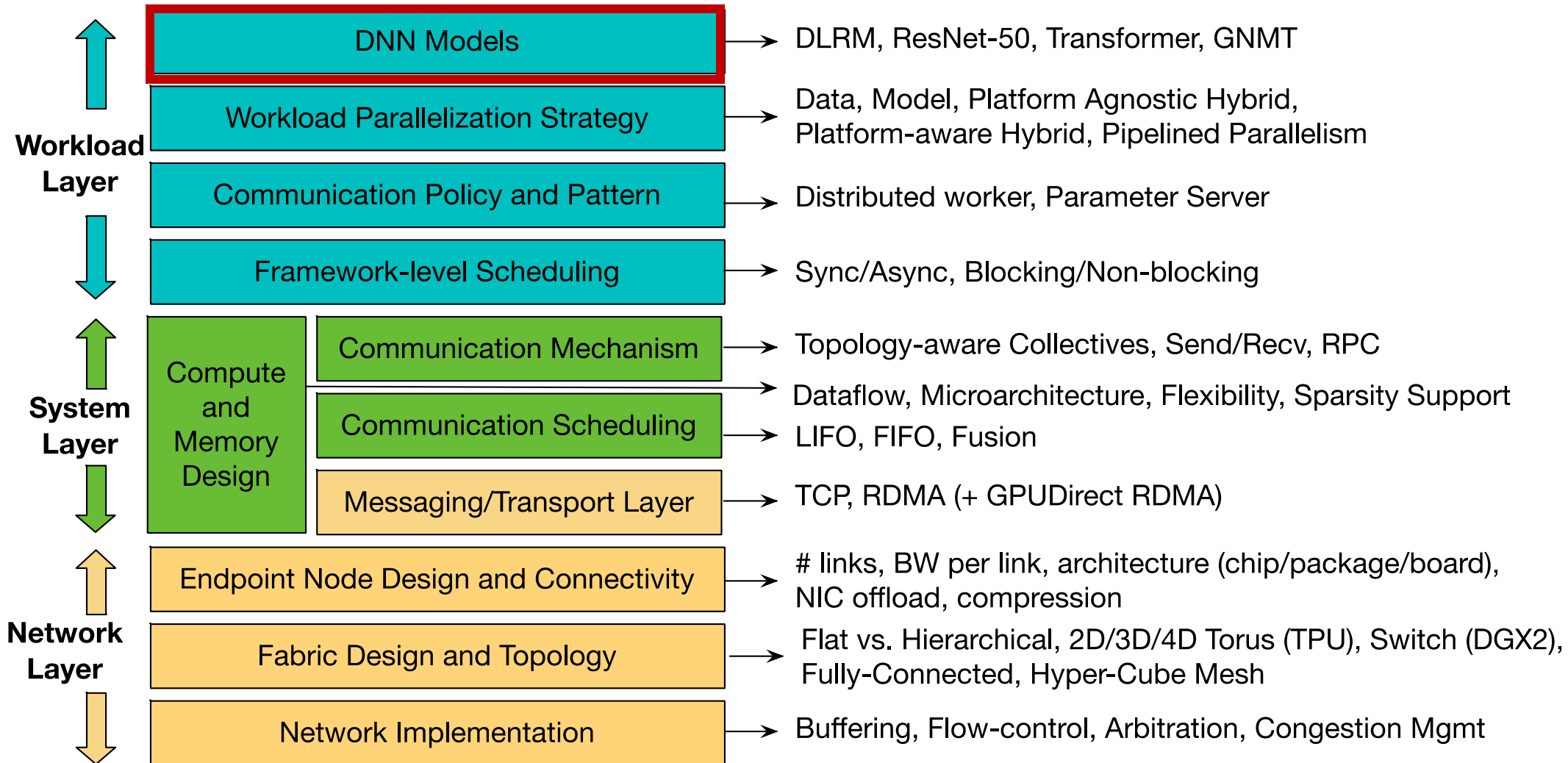
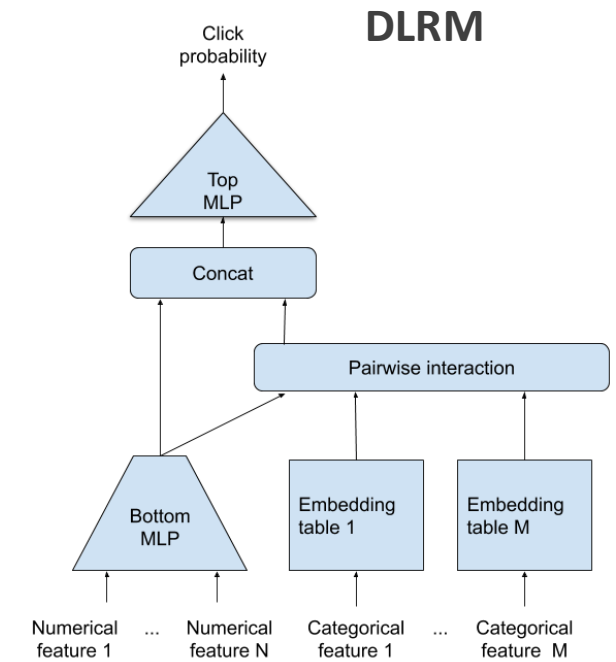
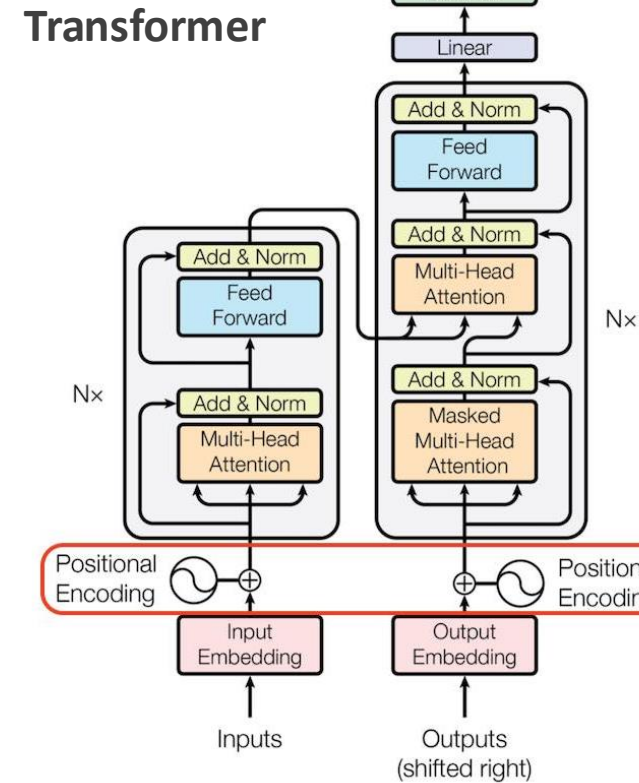
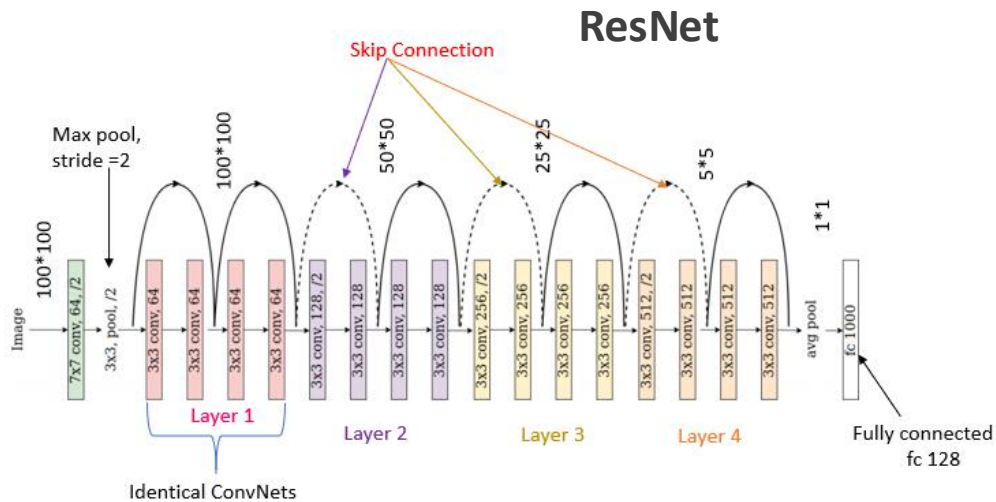


Figure Courtesy: Srinivas Sridharan (NVIDIA)

# DNN Models



➔ **Operator Types:** CONV2D, Attention, Fully-Connected, ...  
**Parameter sizes:** Millions to Trillions

# Distributed Training Stack

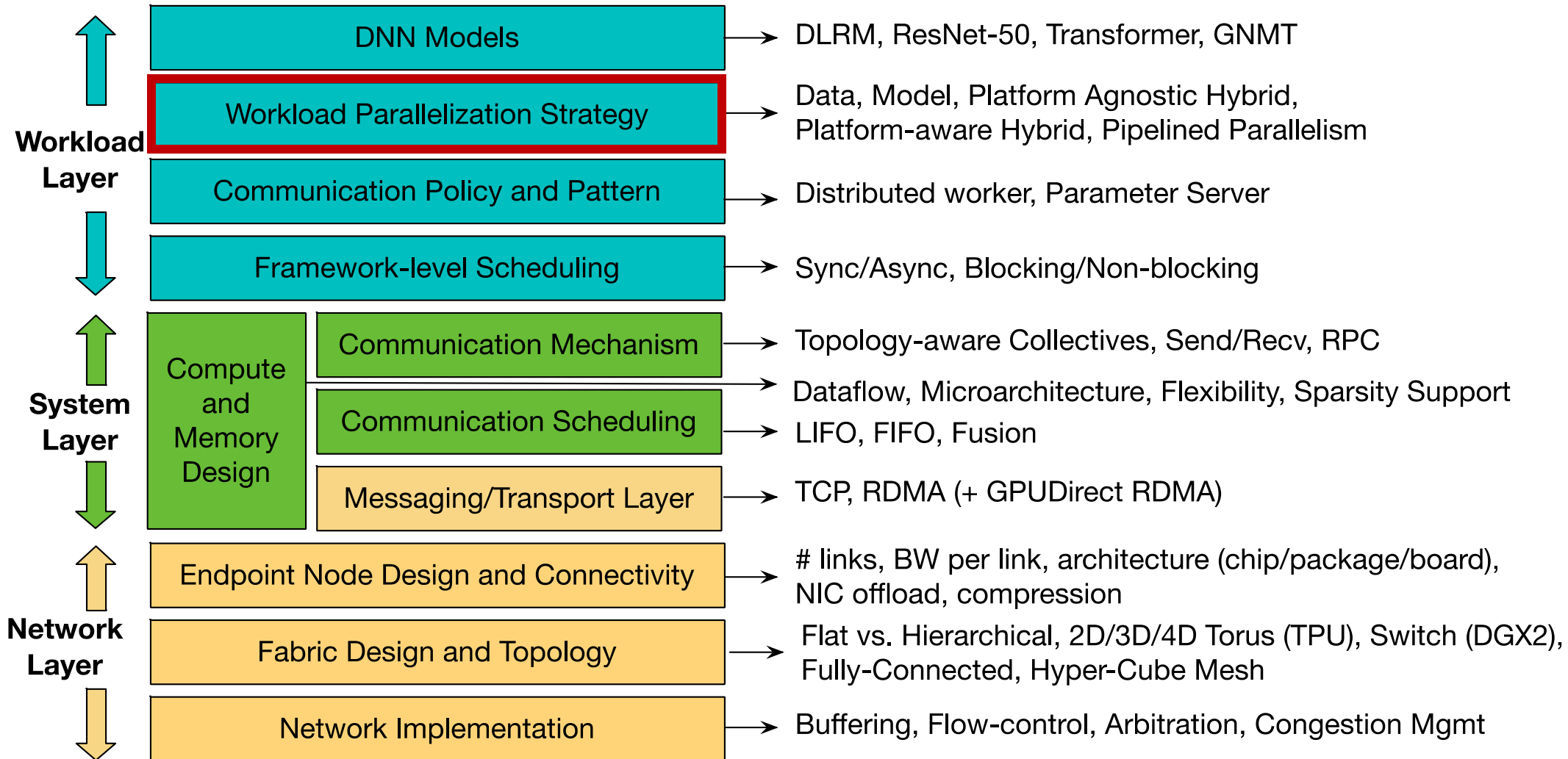
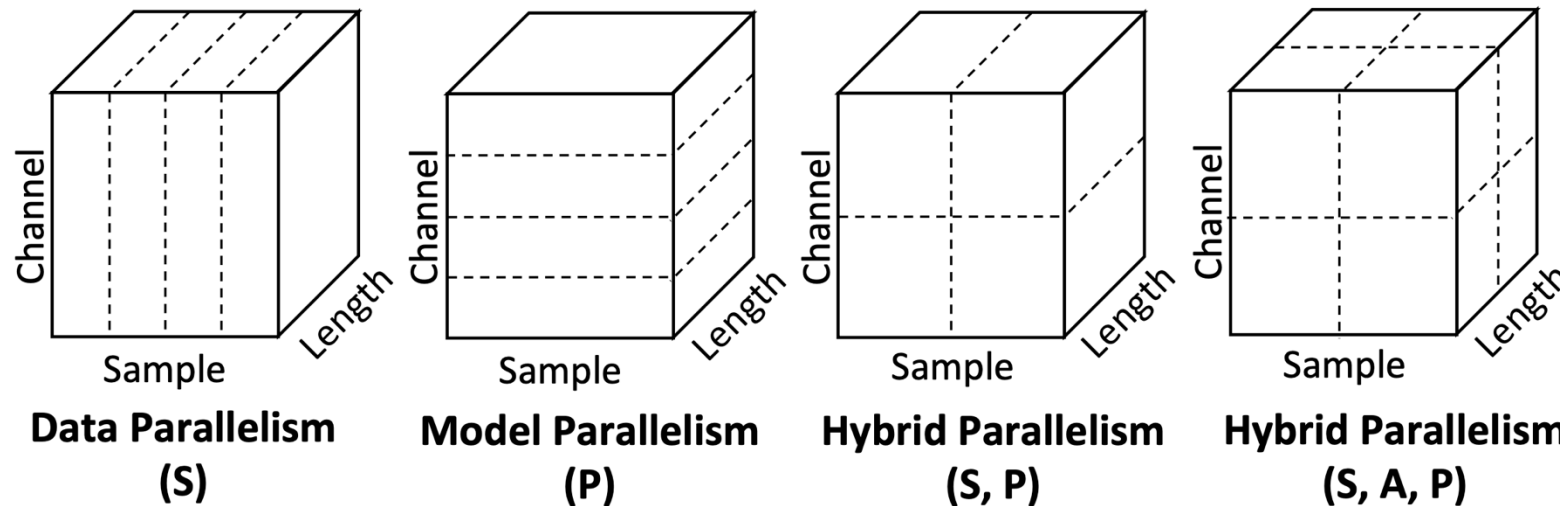


Figure Courtesy: Srinivas Sridharan (NVIDIA)

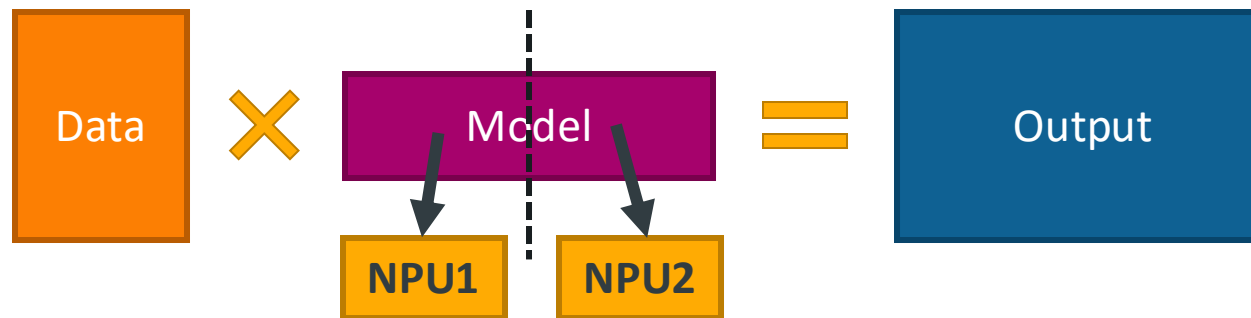
# Parallelization Strategies

- In distributed training, we **distribute model and/or training data**
- **Parallelization strategy** defines how to shard/distribute them
  - Finding an optimal parallelization strategy is active area of research
- Multiple ways to distribute model/data



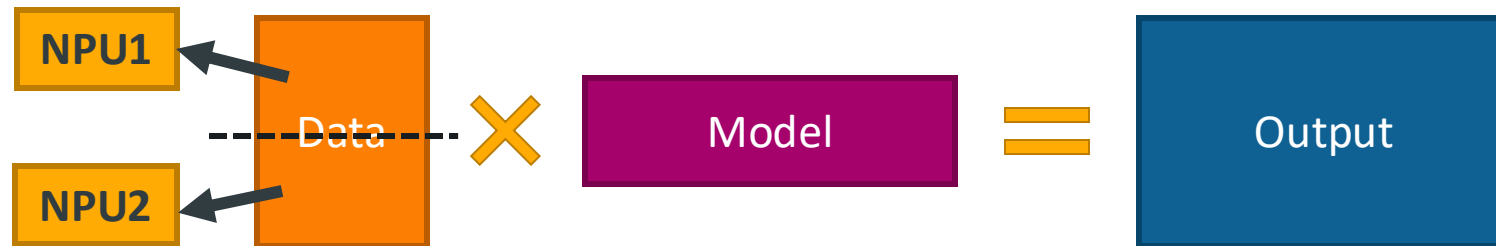
# Tensor Parallelism

- Shard and distribute **DNN model** over NPUs
  - In order to **fit large model** on each NPU



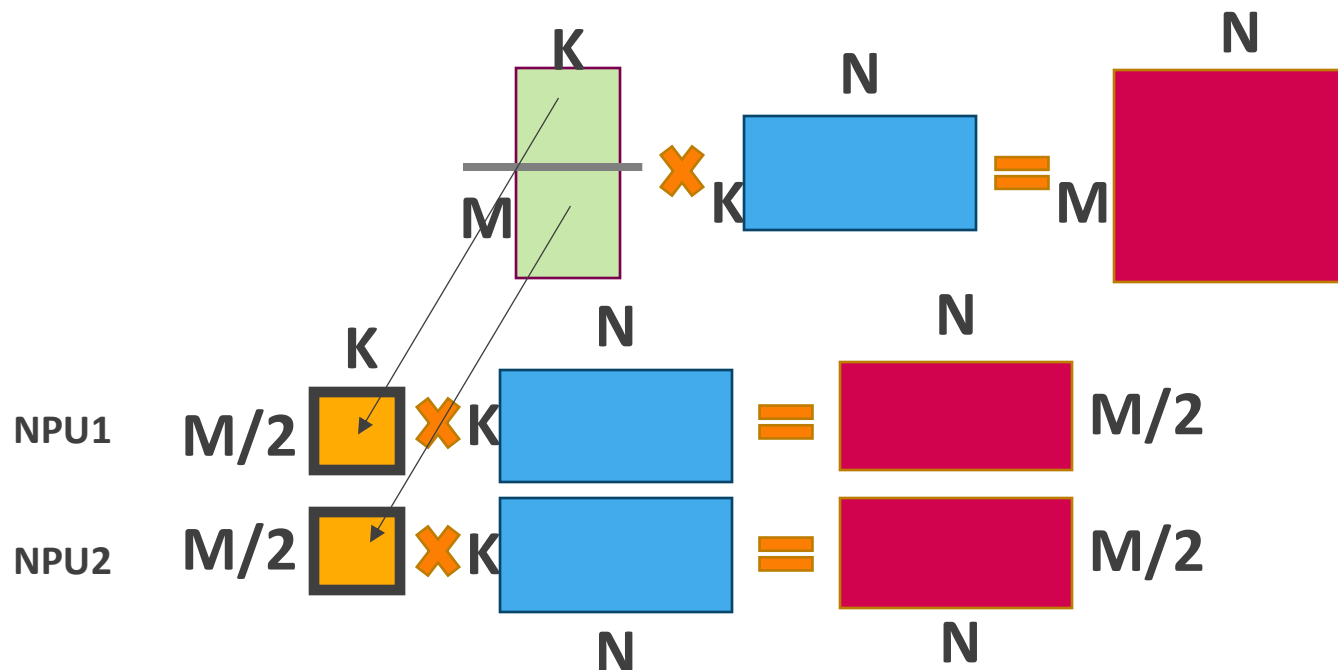
# Data Parallelism

- Disperse **training data** over NPUs
  - In order to increase **training throughput**



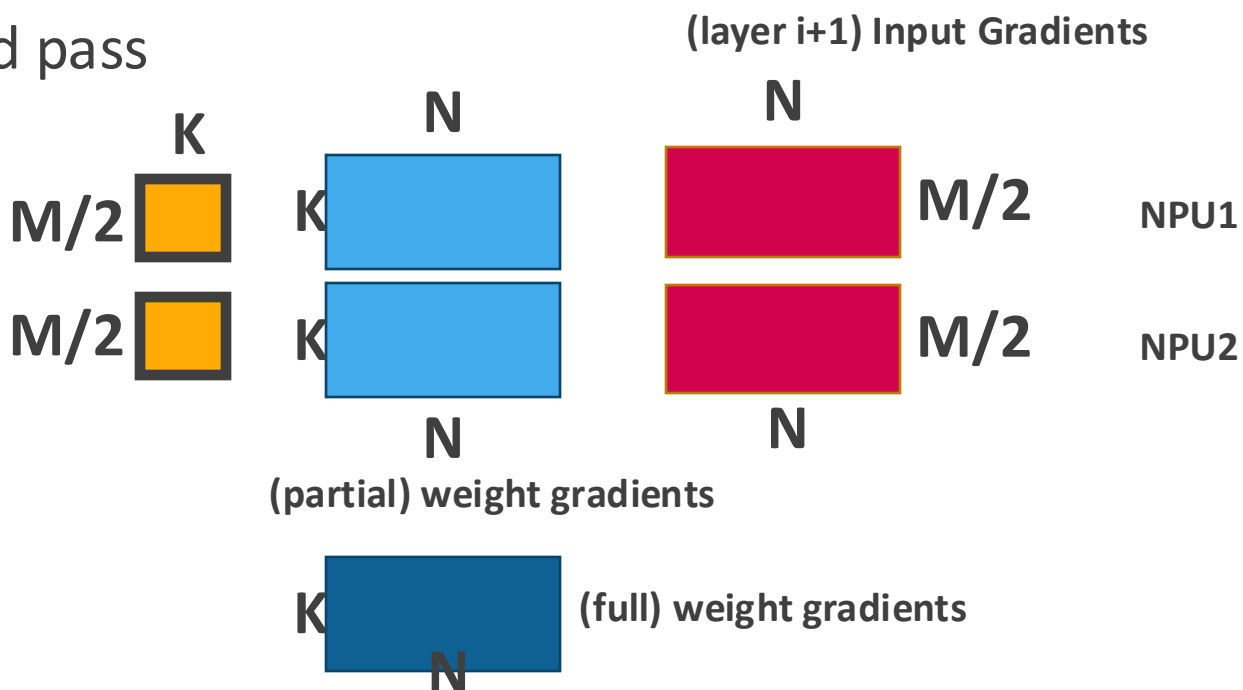
# Data Parallel Training (Forward Pass)

- **Distribute training data** across multiple nodes
- **Replicate DNN model** along all nodes.



# Data Parallel Training (Backward Pass)

- Compute (partial) **Weight Gradients**
- **Synchronize** (partial) weight gradients
  - To compute **(full) weight gradient**
- **Compute** Input Gradients
  - For layer  $(i - 1)$  backward pass





# Weight Gradient Synchronization

- **Sum** partial weight gradients to compute full weight gradients

w1	w2	w3	w4
5.2	7.2	3.8	1.5

Weight Gradient (NPU 1)

w1	w2	w3	w4
-1.4	3.6	-2.4	1.9

Weight Gradient (NPU 2)

w1	w2	w3	w4
3.7	-1.2	5.4	-2.7

Weight Gradient (NPU 3)

(partial) weight gradients

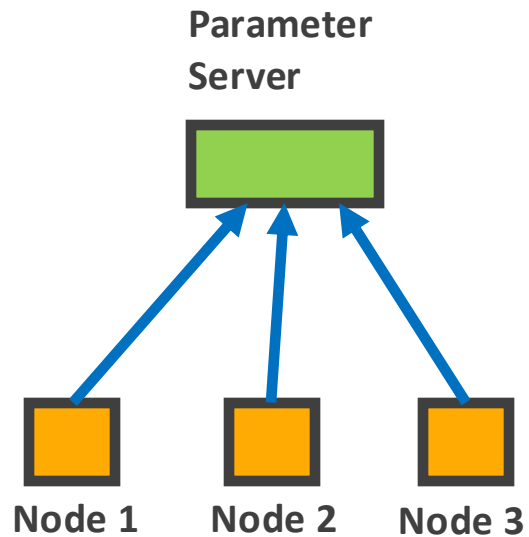
$\Sigma$

w1	w2	w3	w4
7.6	9.6	6.8	0.7

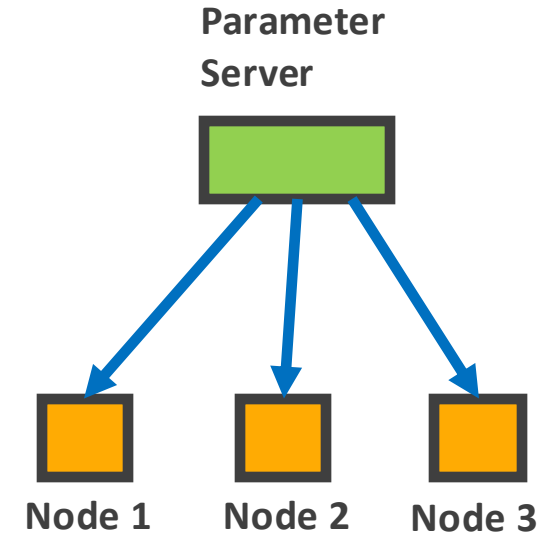
Full Weight Gradient

# Communication Handling

- Parameter Server



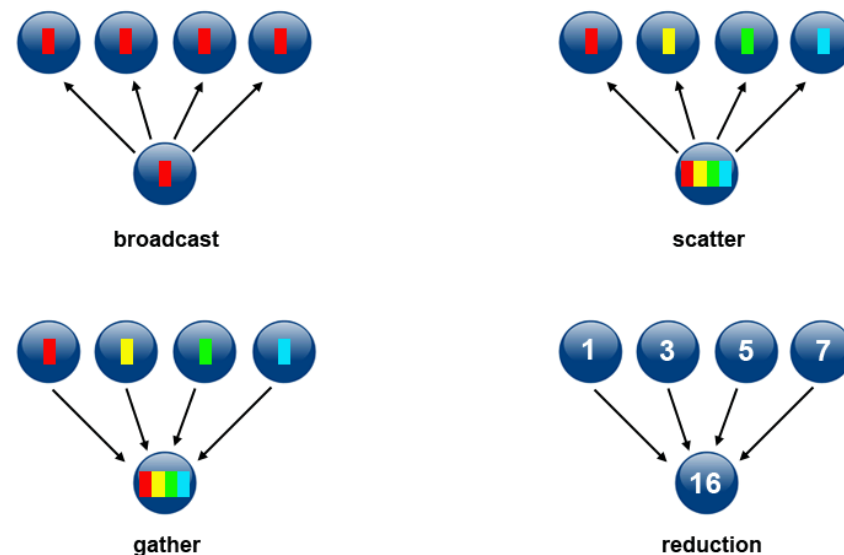
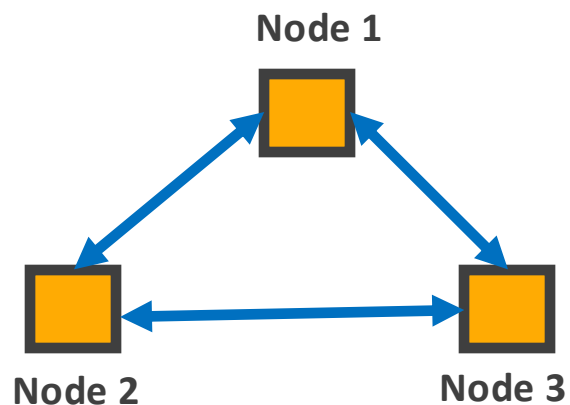
**Step 1: Each node sends its model gradients to the parameter server to be reduced with other gradients and update the model**



**Step 2: The parameter server sends the updated model to the compute nodes to begin the new iteration.**

# Communication Handling

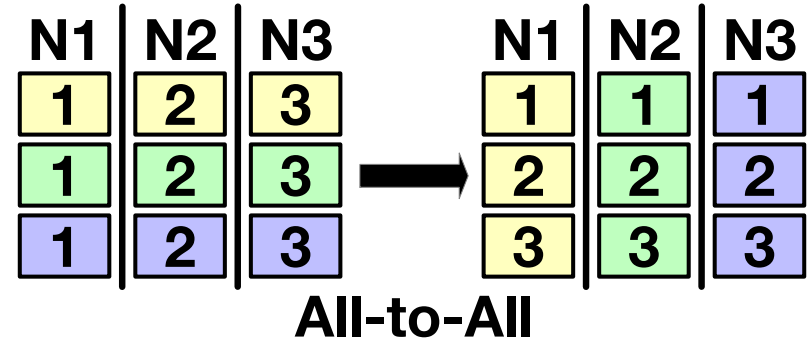
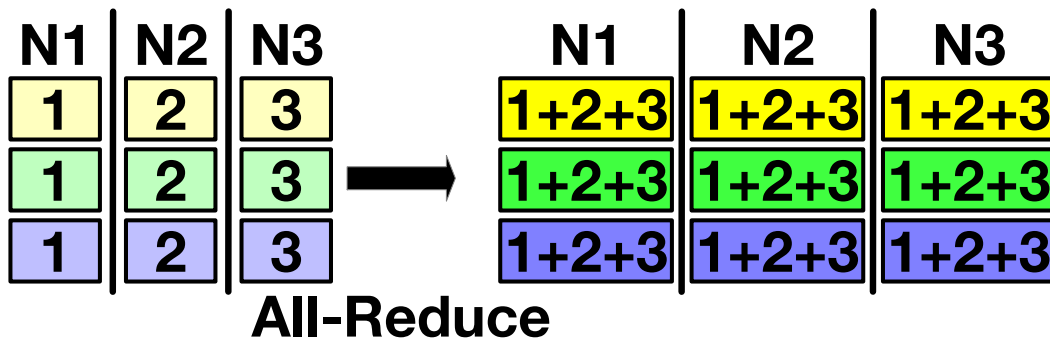
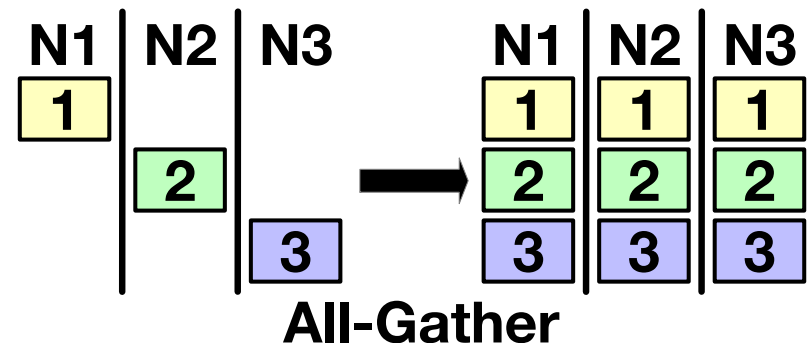
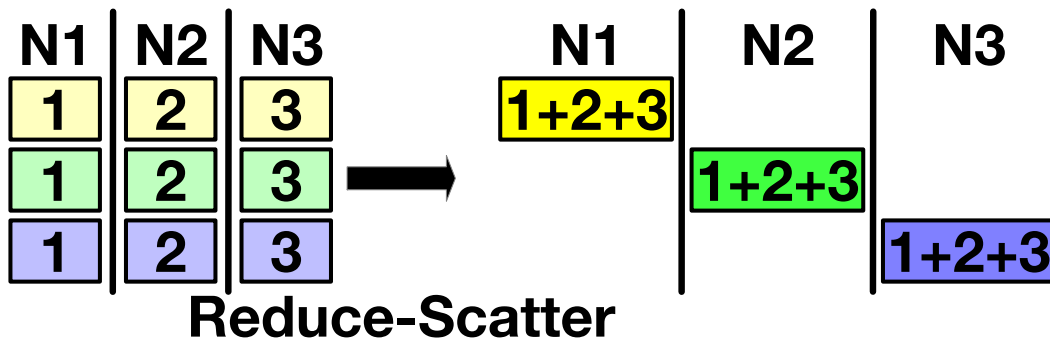
- **Collective-based:** Compute Nodes directly talk to each other to globally reduce their gradients and update the model through a collective communication pattern (e.g., All Reduce).



“Collective Communication”  
(from MPI)

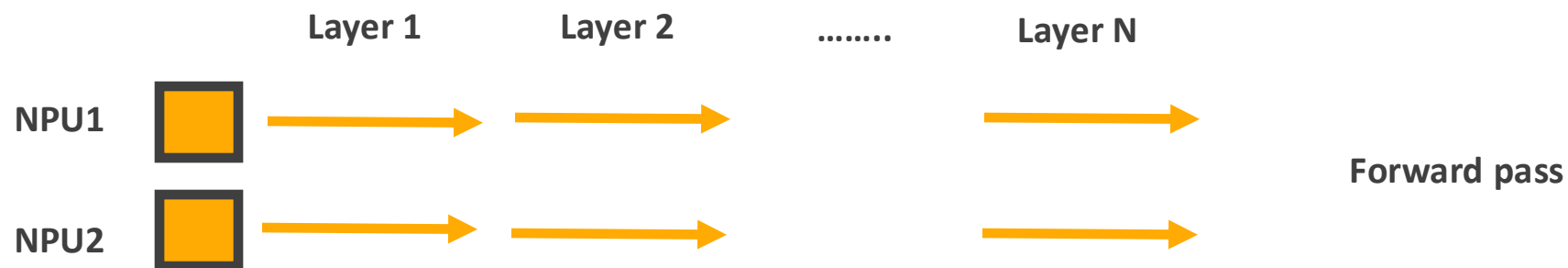
# Collective Communications

- Distributed ML Communication Pattern → MPI Collectives



# Communication in Data Parallel Training

- **No communication** during the forward pass.

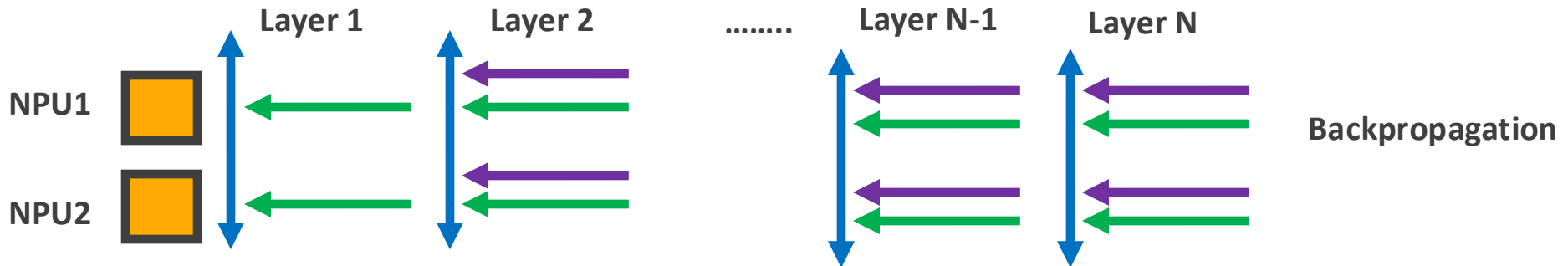


Flow-per-layer: 1. Compute output -> 2. go to the next layer



# Communication in Data Parallel Training

- **Communicate weight gradients** during the backpropagation pass.
  - *Via All Reduce “Collective”*



Flow-per-layer: 1. Compute weight gradient -> 2. issue weight gradient comm -> 3. compute input gradient -> 4. go to previous layer

↓ Inference  
compute

↓ Input gradient  
compute

↓ Weight gradient  
compute

↓ All Reduce  
Collective

↓ Blocking  
Communicate



# Distributed Training Stack

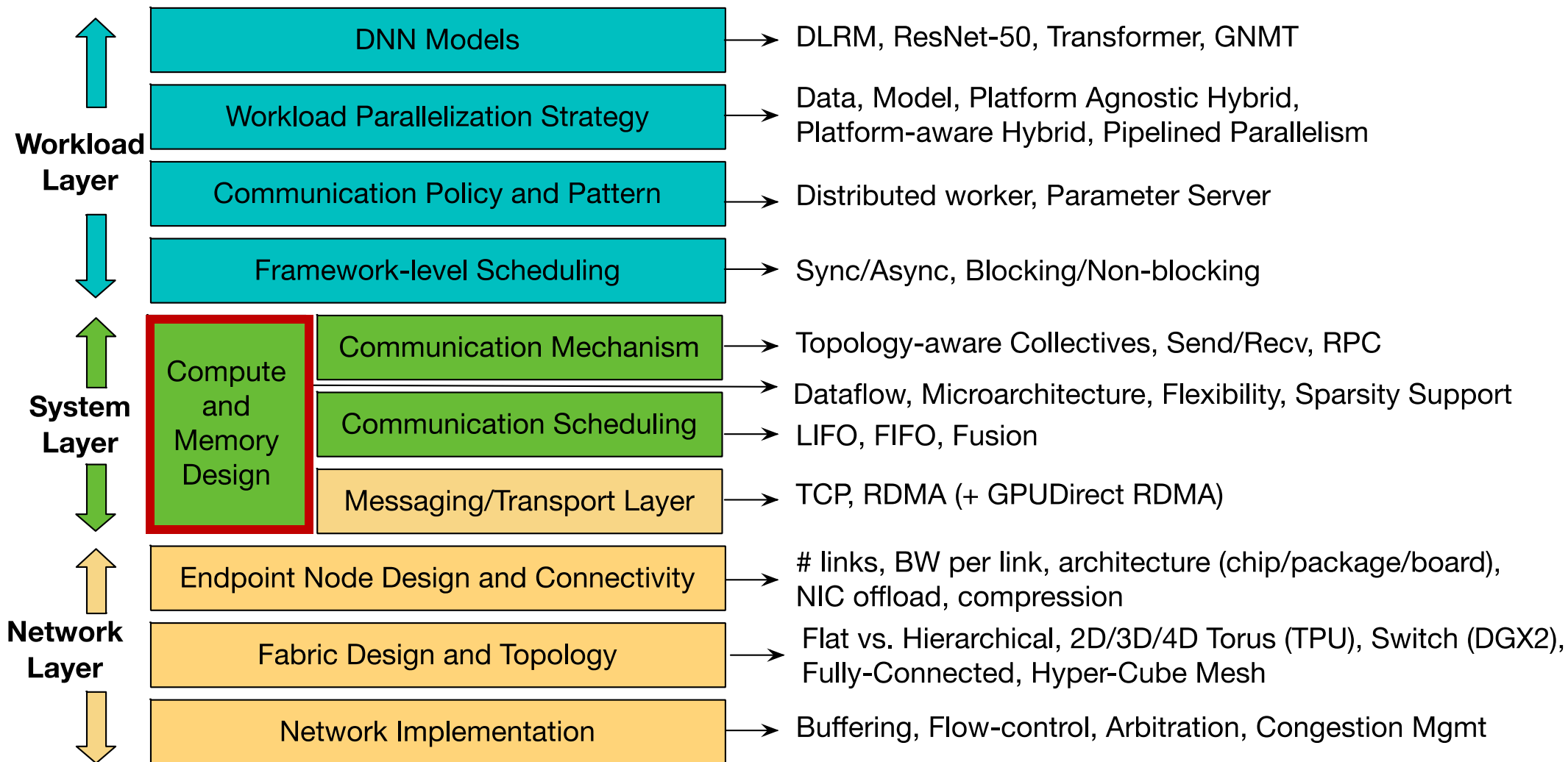
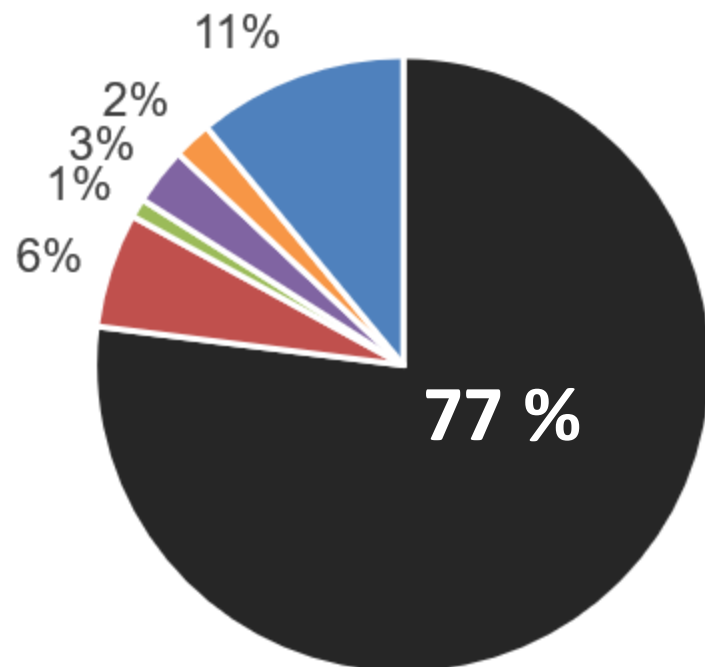


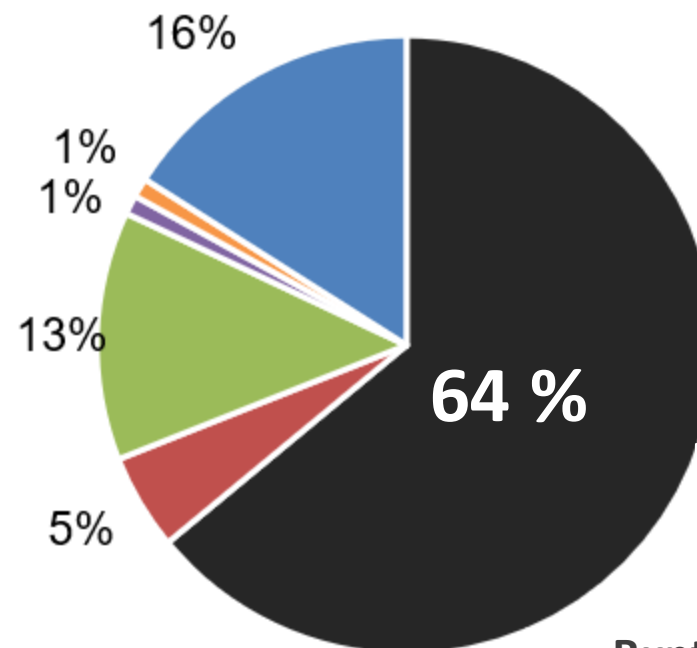
Figure Courtesy: Srinivas Sridharan (NVIDIA)



# Key Compute Kernel during DL Training



**Transformer**  
(Language Understanding)



**GNMT**  
(Machine Translation)

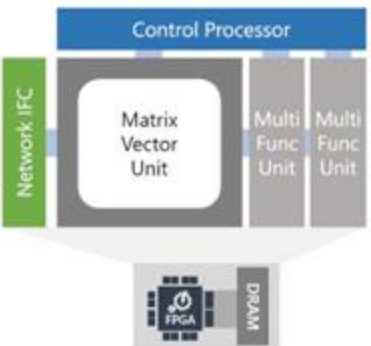
Runtime breakdown on V100 GPU



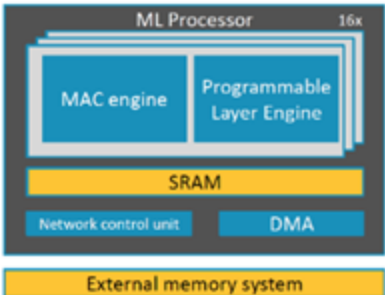
Matrix multiplications (GEMMs) consume around **70%** of the total runtime when training modern deep learning workloads.

# Hardware for Accelerating GEMMs

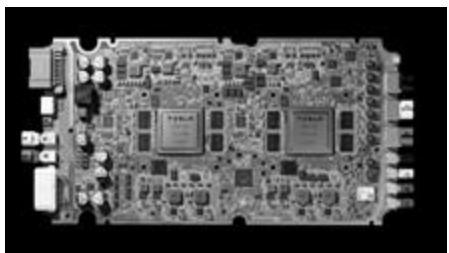
## SIMD Architectures



Microsoft Brainwave

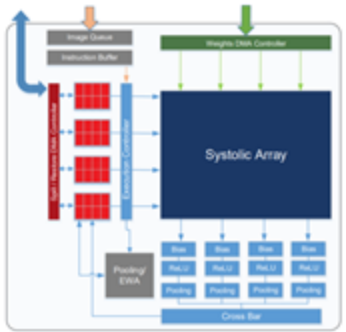


ARM Trillium

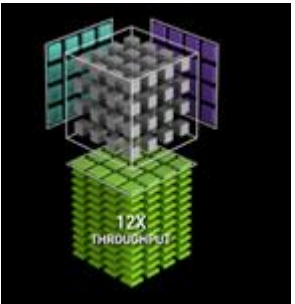


Tesla FSDC

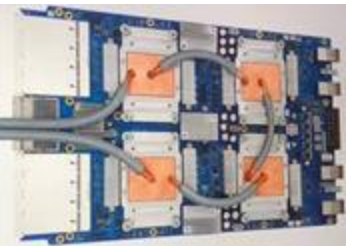
## Systolic Architectures



Xilinx xDNN



Nvidia Tensor Cores

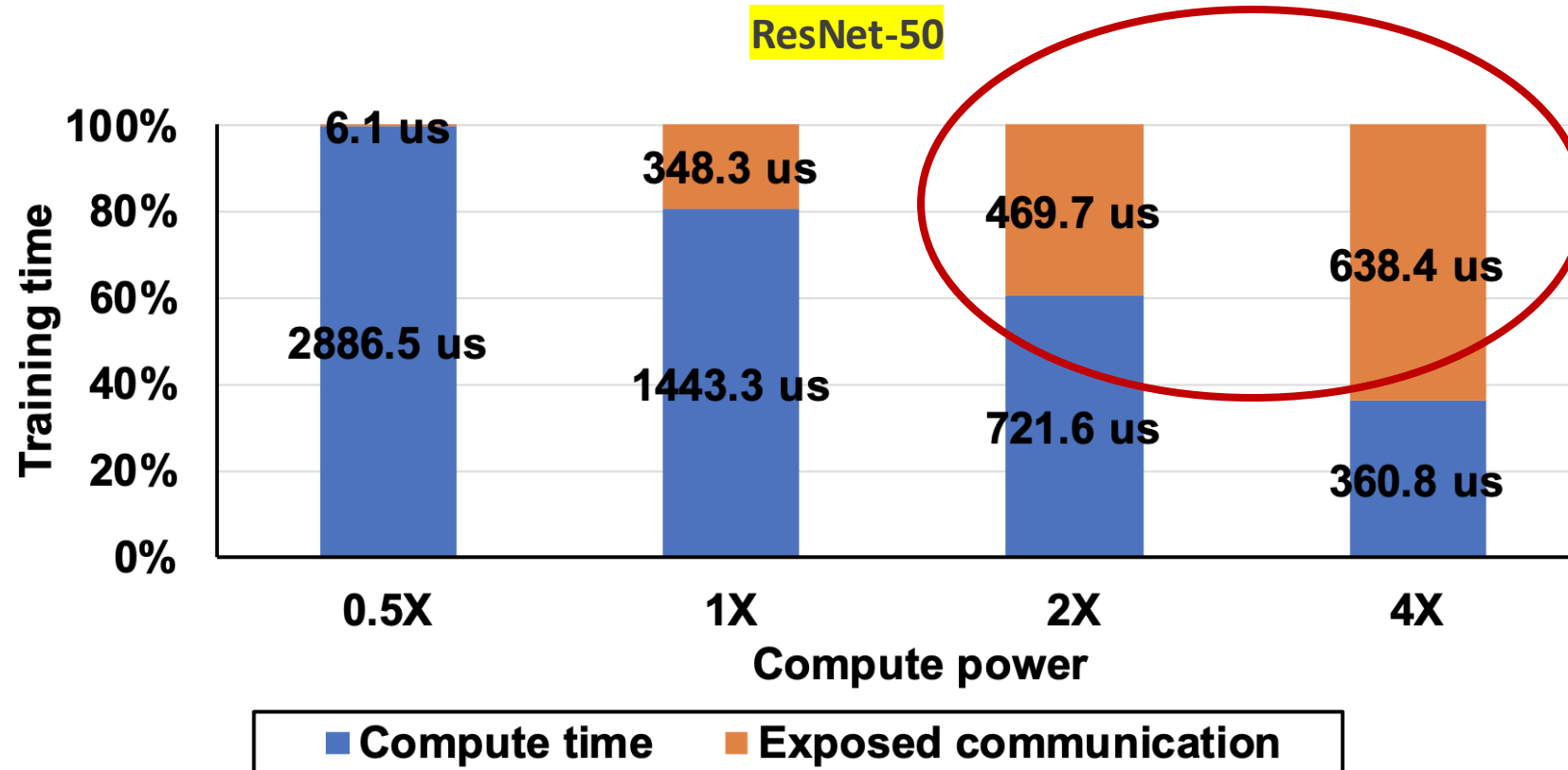


Google TPU

**Key Feature:**

- Specialized support for GEMMs
- Maximize HW TFLOPS

# Effect of Enhanced Compute Efficiency on Training



3D torus with total of 32  
NPU's (2X4X4)

Compute Capability

S. Rashidi et al., "ASTRA-SIM: Enabling SW/HW  
Co-Design Exploration for Distributed DL  
Training Platforms", ISPASS 2020

# Distributed Training Stack

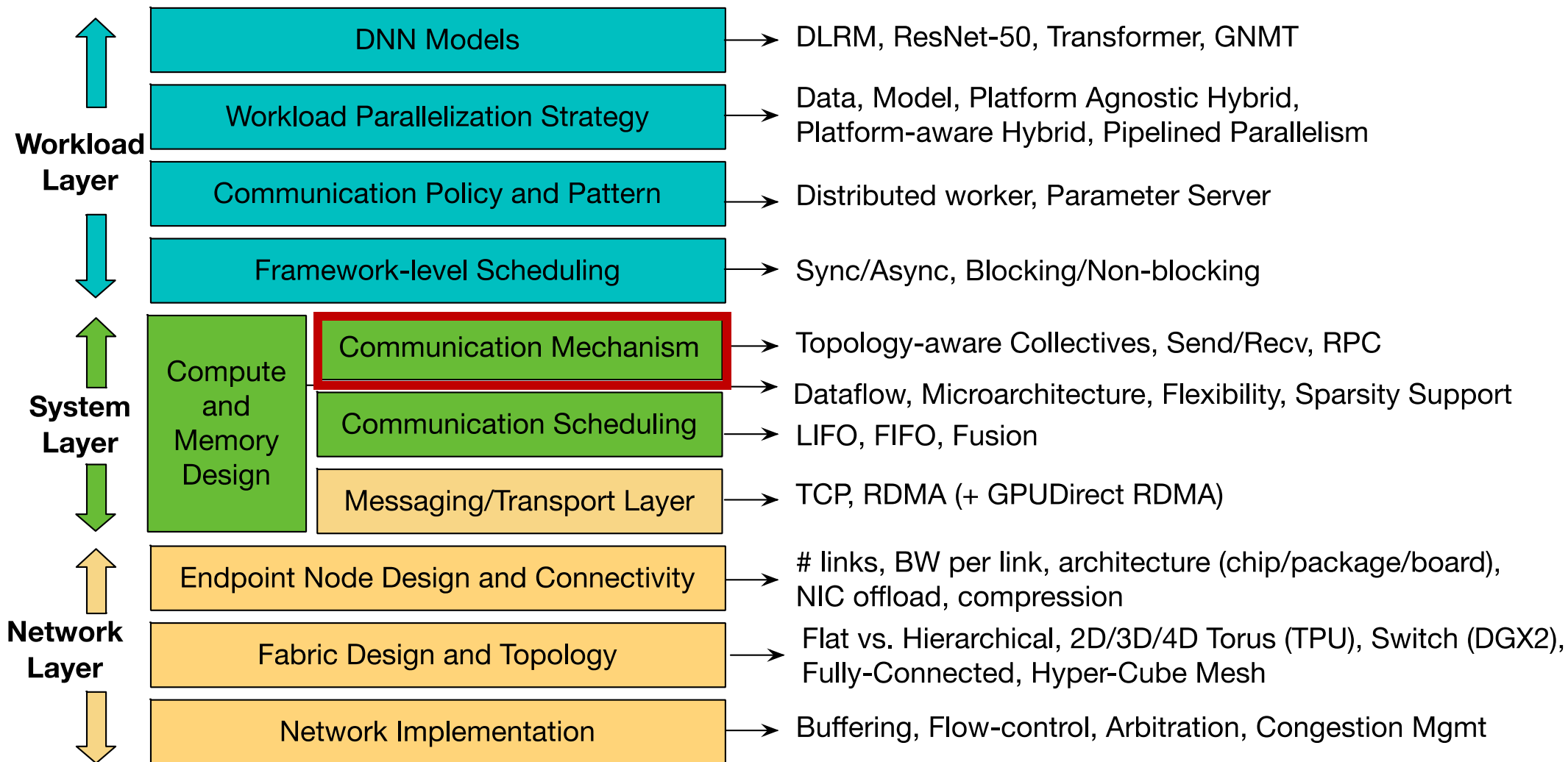


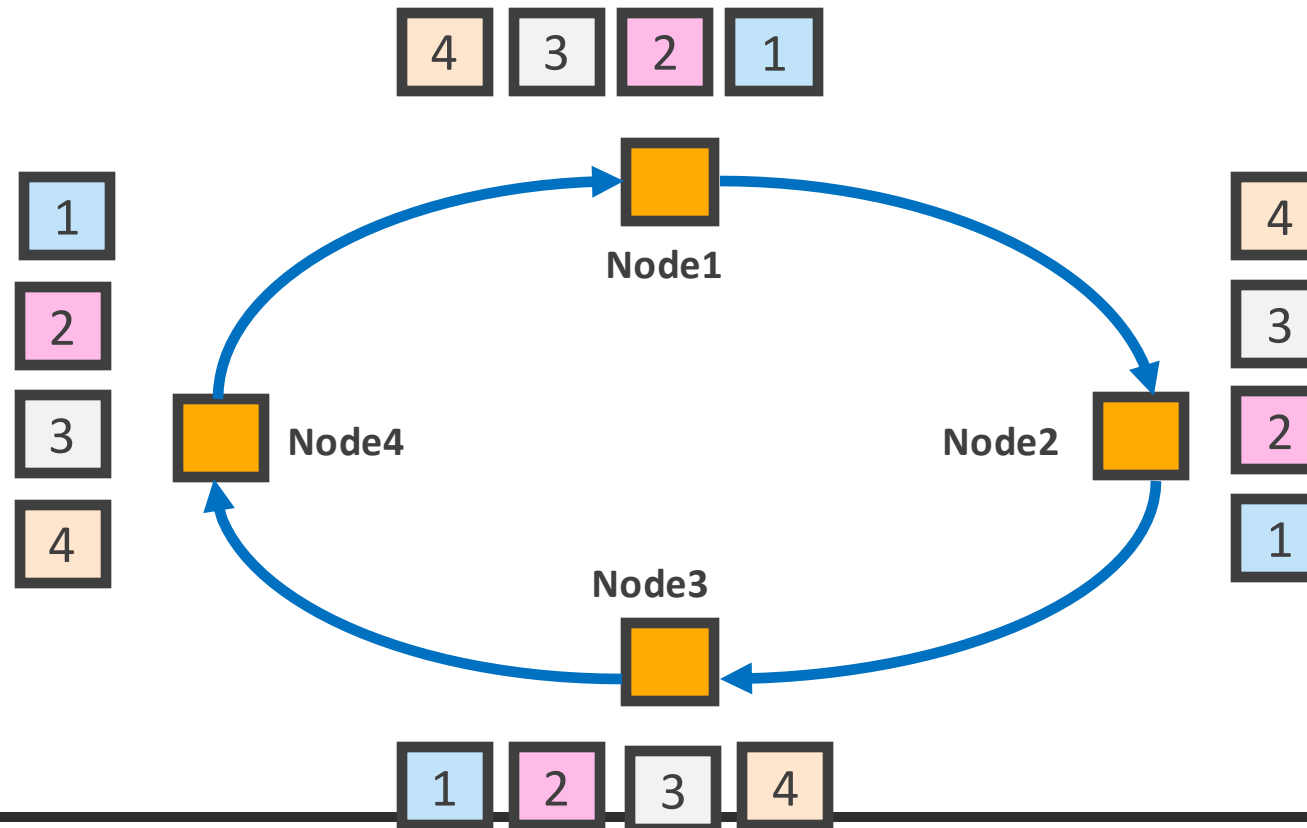
Figure Courtesy: Srinivas Sridharan (NVIDIA)

# Topology-aware Collective Algorithms

- **Collective algorithm:** implementation of collectives
  - Collective communication libraries (CCLs, e.g., NCCL, RCCL, oneCCL) uses collective algorithms to run collective communications
- Example All-Reduce Algorithms:
  - Ring
  - Direct
  - Halving-Doubling
  - Rabenseifner
  - Double Binary Tree
  - etc.
- Given a network topology, an **efficient mechanism** to run collective communication exists
  - Called **topology-aware collective algorithms**

# Example: Ring Based All-Reduce

- A ring with N nodes partitions data to N messages
- Collective Communication Flow:



Node 0	Node 1	Node 2	Node 3	Node 0	Node 1	Node 2	Node 3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$			
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\sum_j X_1^{(j)}$			
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$		$\sum_j X_2^{(j)}$		
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$				$\sum_j X_3^{(j)}$

Reduce-scatter

Node 0	Node 1	Node 2	Node 3	Node 0	Node 1	Node 2	Node 3
$X_0$				$X_0$	$X_0$	$X_0$	$X_0$
	$X_1$			$X_1$	$X_1$	$X_1$	$X_1$
		$X_2$		$X_2$	$X_2$	$X_2$	$X_2$
			$X_3$	$X_3$	$X_3$	$X_3$	$X_3$

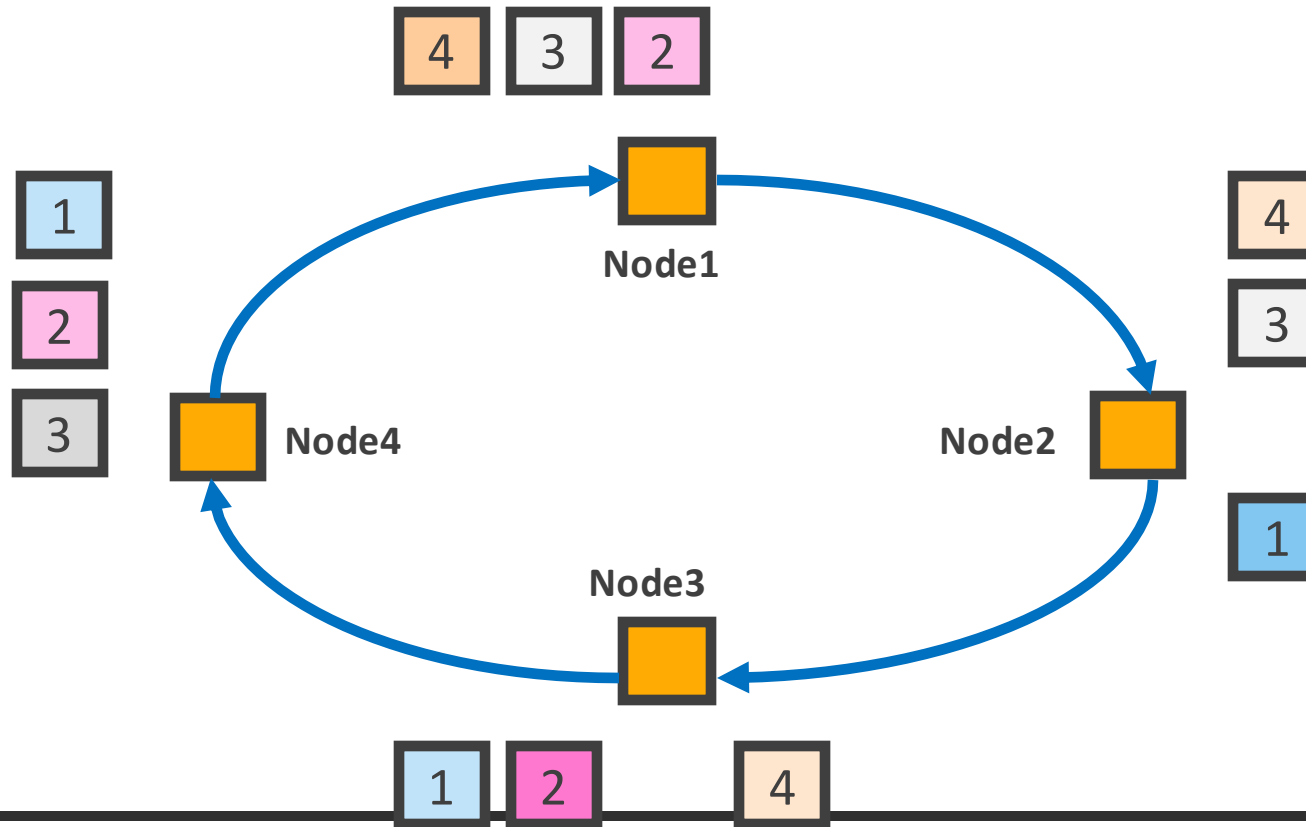
All-gather

Node 0	Node 1	Node 2	Node 3	Node 0	Node 1	Node 2	Node 3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$

All-reduce

# Example: Ring Based All-Reduce

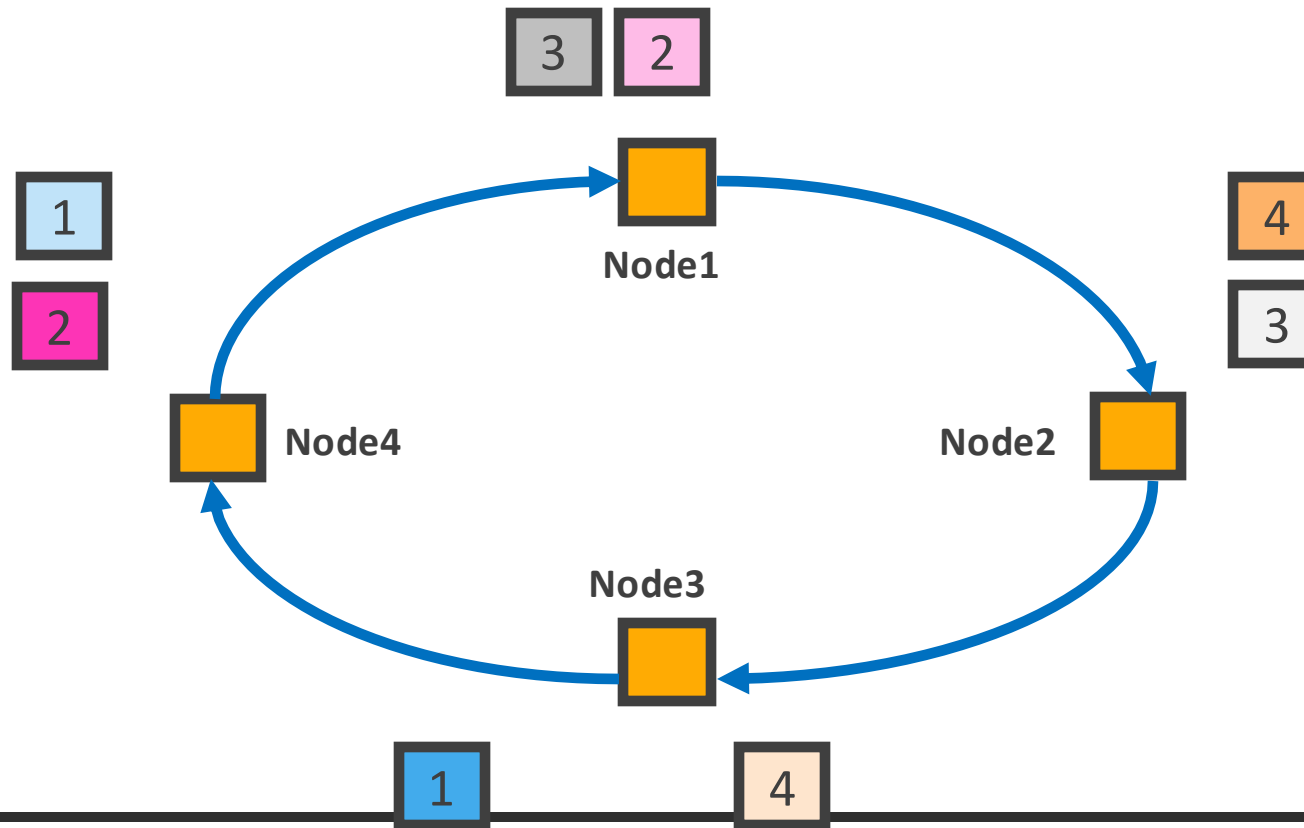
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Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$			
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow$	$\sum_j X_1^{(j)}$		
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$			$\sum_j X_2^{(j)}$	
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$				$\sum_j X_3^{(j)}$
				Reduce-scatter			
Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0$				$X_0$	$X_0$	$X_0$	$X_0$
	$X_1$			$\rightarrow$	$X_1$	$X_1$	$X_1$
		$X_2$			$X_2$	$X_2$	$X_2$
			$X_3$		$X_3$	$X_3$	$X_3$
				All-gather			
Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$		$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$		$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$
				All-reduce			

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Node	Node	Node	Node	Node	Node	Node	Node
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$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$			
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$		$\sum_j X_2^{(j)}$		
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$			$\sum_j X_3^{(j)}$	

Reduce  
-scatter

Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0$				$X_0$	$X_0$	$X_0$	$X_0$
	$X_1$			$\rightarrow X_1$	$X_1$	$X_1$	$X_1$
		$X_2$		$X_2$	$X_2$	$X_2$	$X_2$
			$X_3$	$X_3$	$X_3$	$X_3$	$X_3$

All-gather

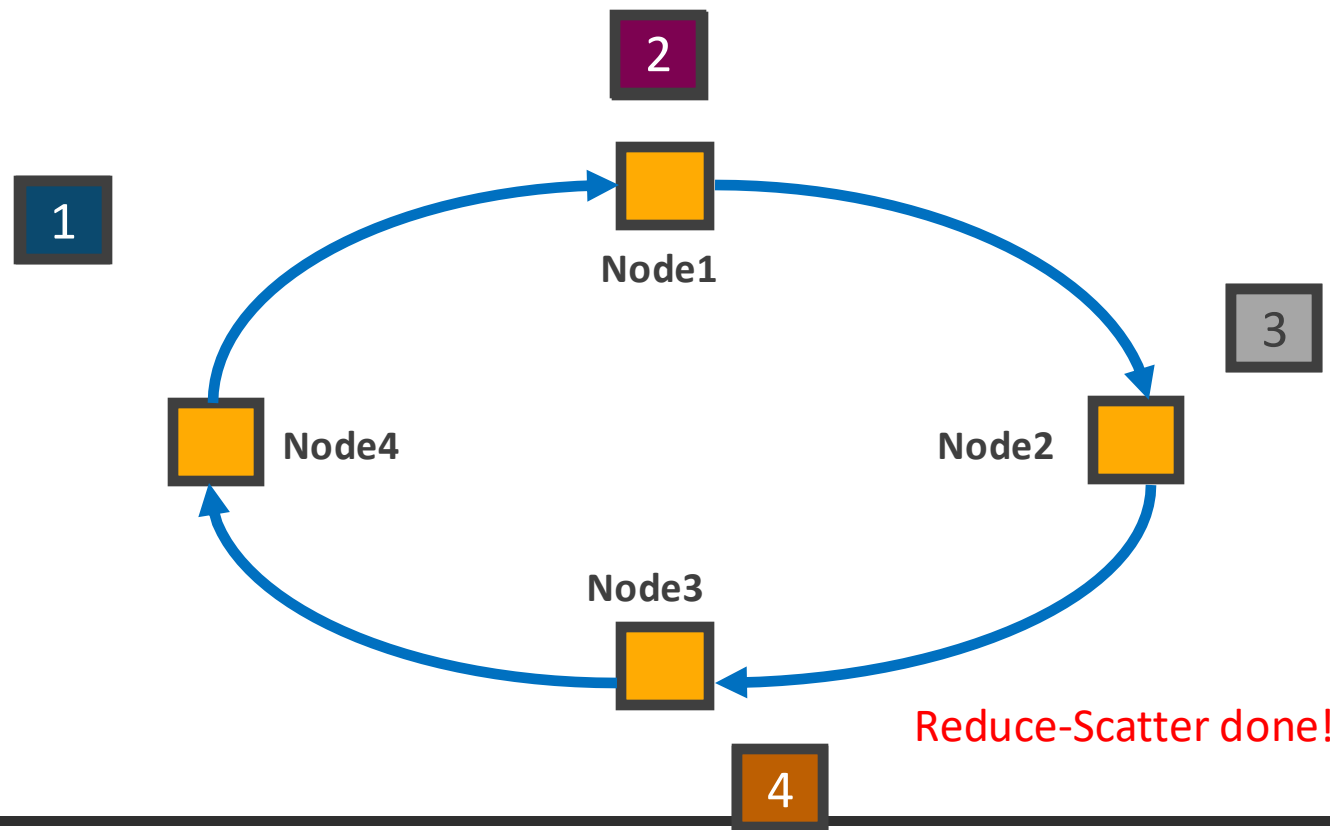
Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$

All-reduce



# Example: Ring Based All-Reduce

- A ring with N nodes partitions data to N messages
- Collective Communication Flow:



Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$			
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$			
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$		$\sum_j X_2^{(j)}$		
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$			$\sum_j X_3^{(j)}$	

Reduce-scatter

Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0$				$X_0$	$X_0$	$X_0$	$X_0$
	$X_1$			$\rightarrow X_1$	$X_1$	$X_1$	$X_1$
		$X_2$		$X_2$	$X_2$	$X_2$	$X_2$
			$X_3$	$X_3$	$X_3$	$X_3$	$X_3$

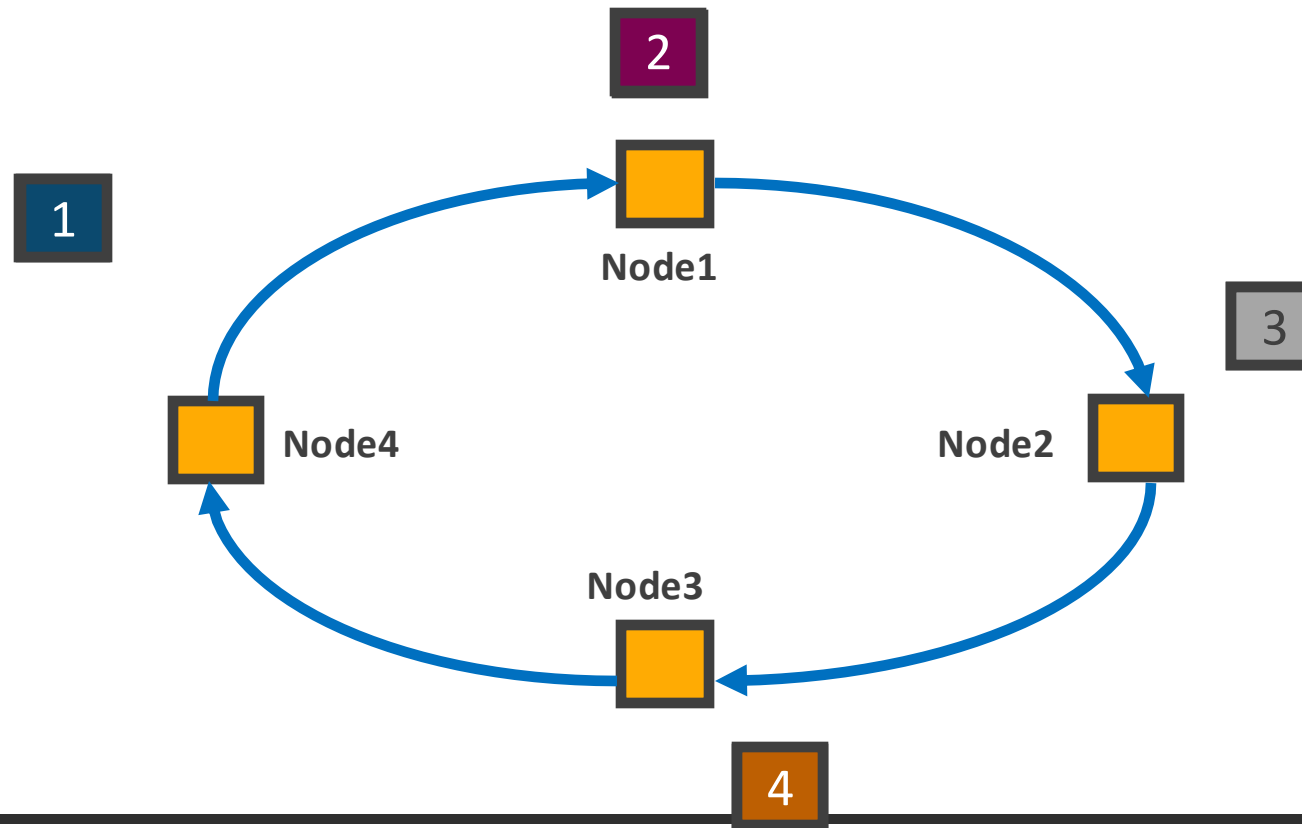
All-gather

Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$

All-reduce

# Example: Ring Based All-Reduce

- A ring with N nodes partitions data to N messages
- Collective Communication Flow:



Node 0	Node 1	Node 2	Node 3	Node 0	Node 1	Node 2	Node 3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$			
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$			
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$		$\sum_j X_2^{(j)}$		
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$			$\sum_j X_3^{(j)}$	

Node 0	Node 1	Node 2	Node 3	Node 0	Node 1	Node 2	Node 3
$X_0$				$X_0$	$X_0$	$X_0$	$X_0$
	$X_1$			$\rightarrow X_1$	$X_1$	$X_1$	$X_1$
		$X_2$		$X_2$	$X_2$	$X_2$	$X_2$
			$X_3$	$X_3$	$X_3$	$X_3$	$X_3$

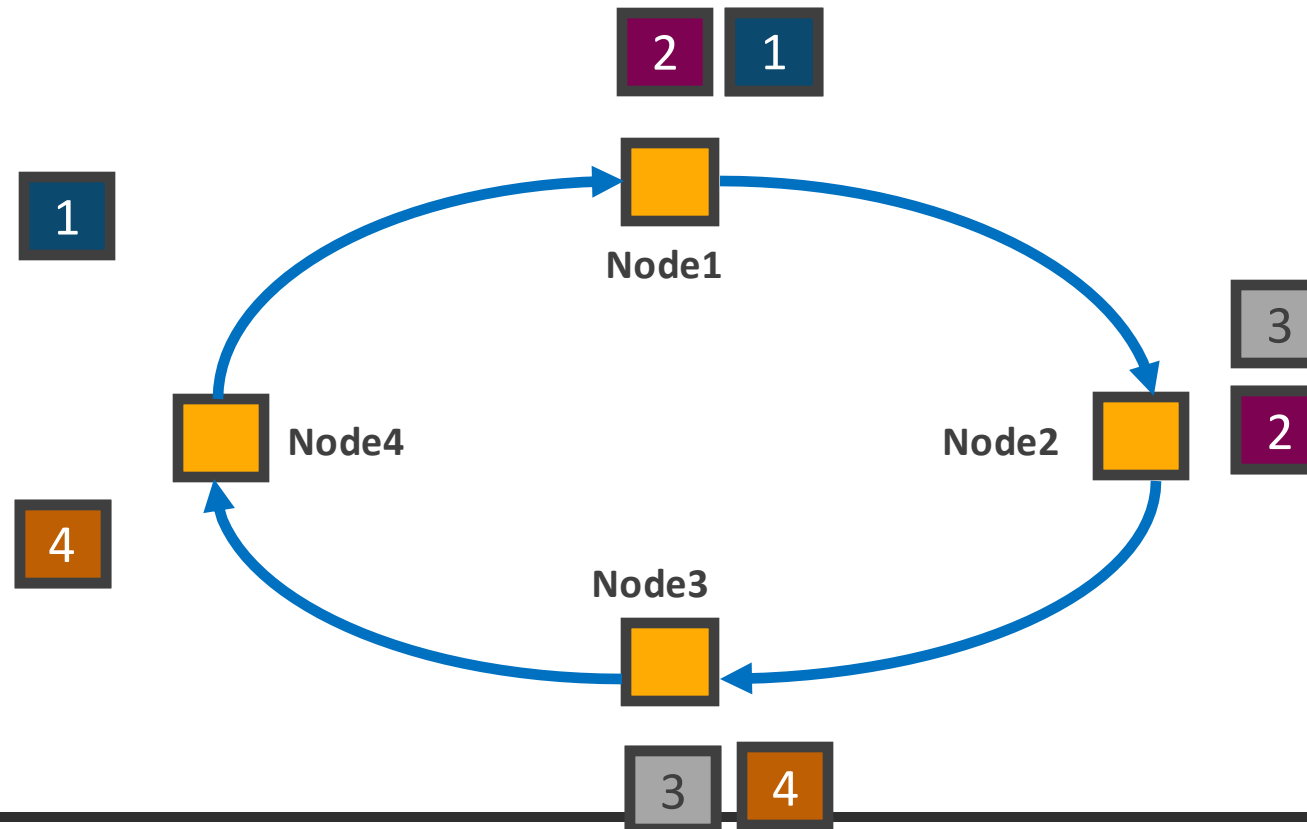
All-gather

Node 0	Node 1	Node 2	Node 3	Node 0	Node 1	Node 2	Node 3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$

All-reduce

# Example: Ring Based All-Reduce

- A ring with N nodes partitions data to N messages
- Collective Communication Flow:



Node 0	Node 1	Node 2	Node 3	Node 0	Node 1	Node 2	Node 3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$			
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\sum_j X_1^{(j)}$			
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$		$\sum_j X_2^{(j)}$		
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$				$\sum_j X_3^{(j)}$

Reduce-scatter

Node 0	Node 1	Node 2	Node 3	Node 0	Node 1	Node 2	Node 3
$X_0$				$X_0$	$X_0$	$X_0$	$X_0$
	$X_1$			$X_1$	$X_1$	$X_1$	$X_1$
		$X_2$		$X_2$	$X_2$	$X_2$	$X_2$
			$X_3$	$X_3$	$X_3$	$X_3$	$X_3$

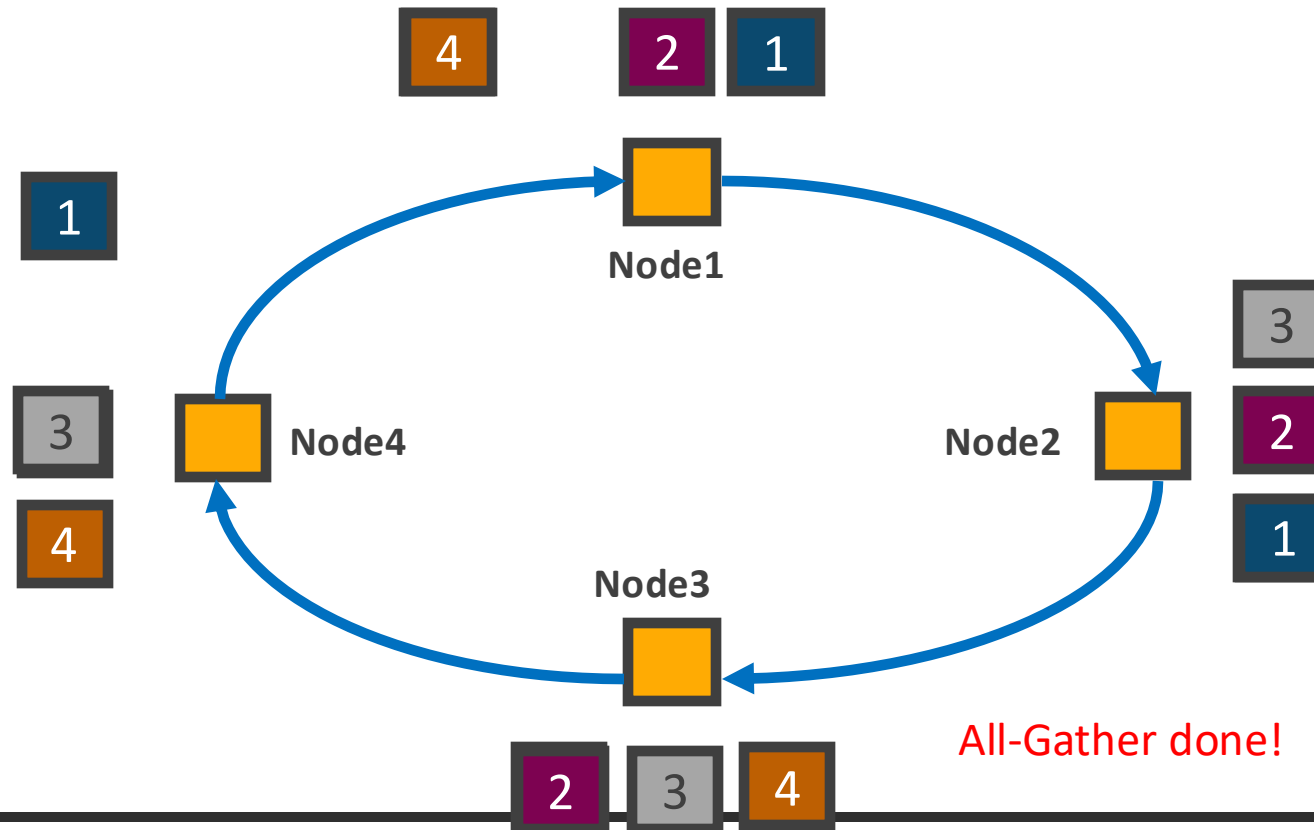
All-gather

Node 0	Node 1	Node 2	Node 3	Node 0	Node 1	Node 2	Node 3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$

All-reduce

# Example: Ring Based All-Reduce

- A ring with N nodes partitions data to N messages
- Collective Communication Flow:



Node 0	Node 1	Node 2	Node 3	Node 0	Node 1	Node 2	Node 3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$			
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$			
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$		$\sum_j X_2^{(j)}$		
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$			$\sum_j X_3^{(j)}$	

Reduce-scatter

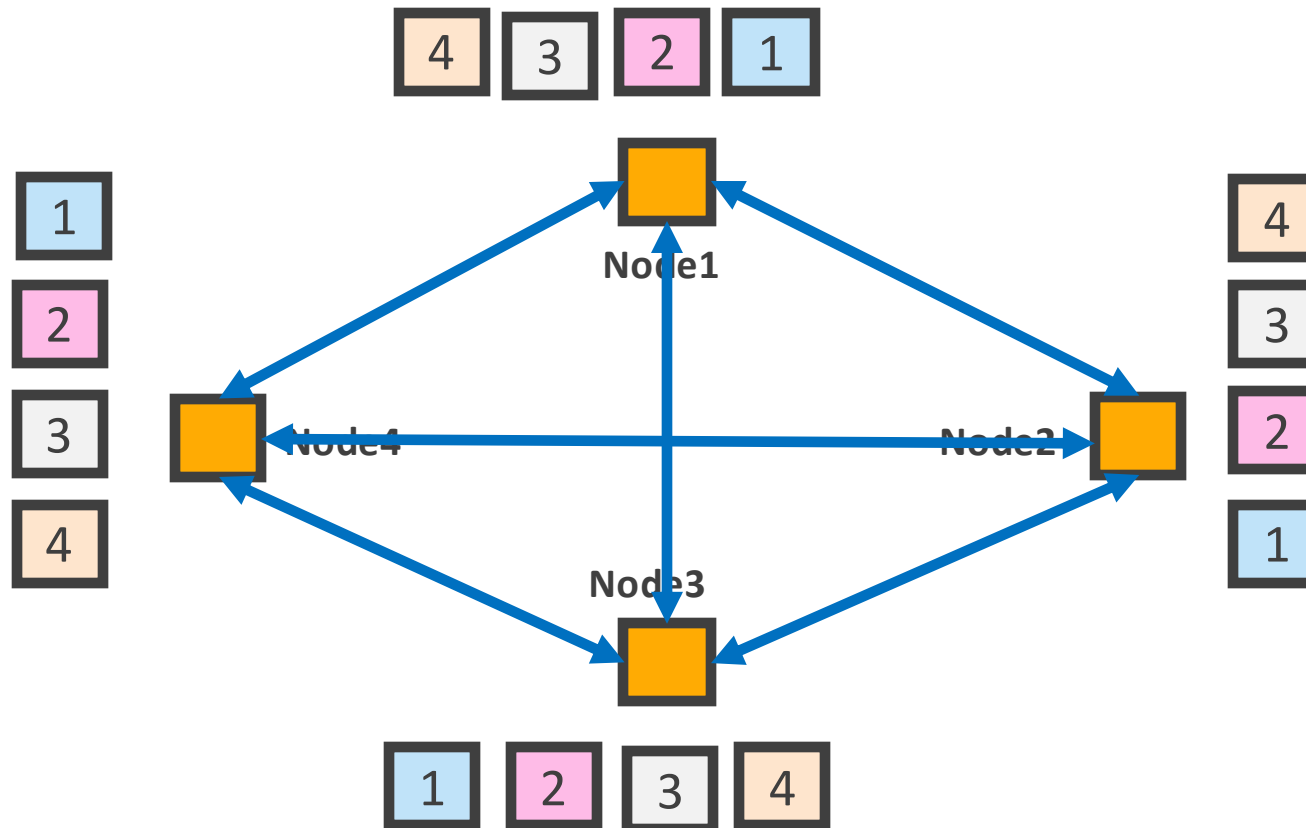
Node 0	Node 1	Node 2	Node 3	Node 0	Node 1	Node 2	Node 3
$X_0$				$X_0$	$X_0$	$X_0$	$X_0$
	$X_1$			$\rightarrow X_1$	$X_1$	$X_1$	$X_1$
		$X_2$		$X_2$	$X_2$	$X_2$	$X_2$
			$X_3$	$X_3$	$X_3$	$X_3$	$X_3$

All-gather

Node 0	Node 1	Node 2	Node 3	Node 0	Node 1	Node 2	Node 3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$

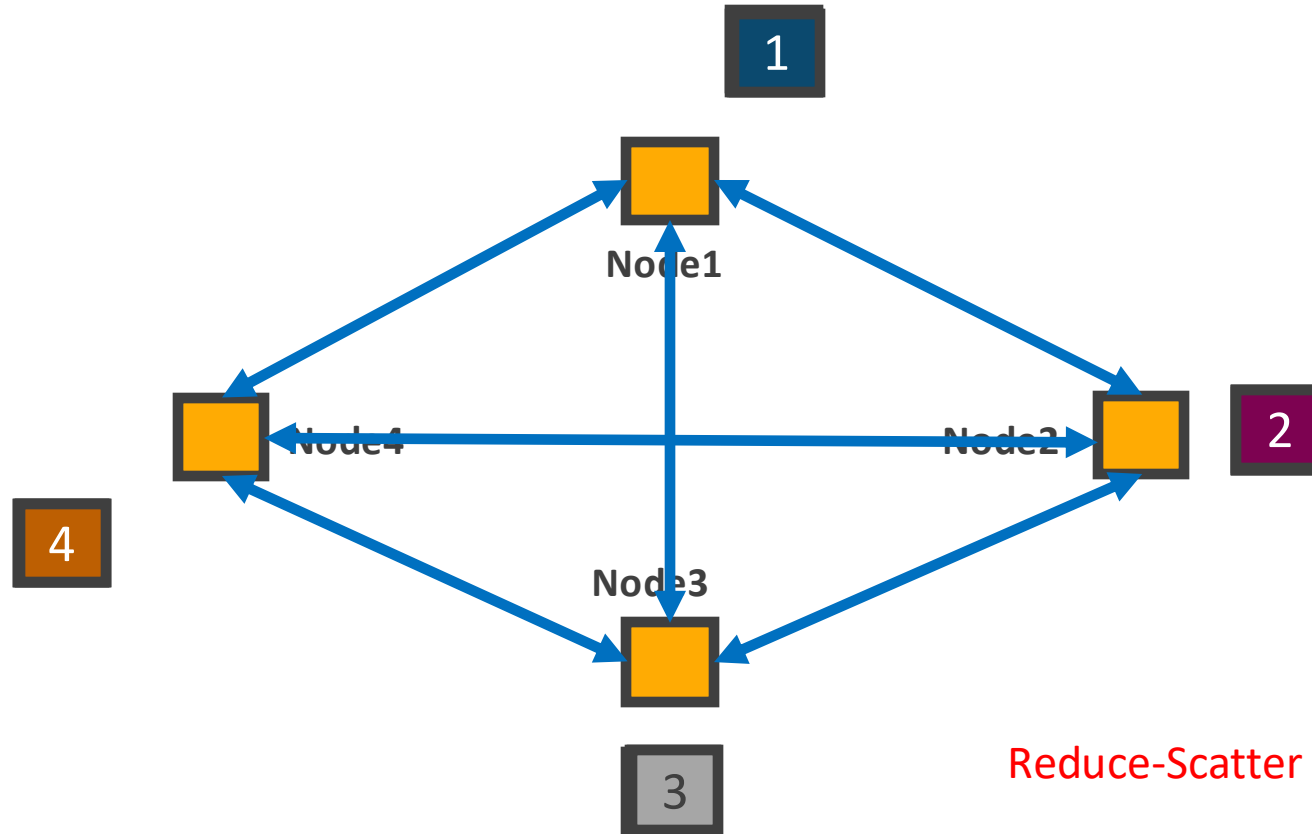
All-reduce

# Example: Direct All-Reduce



Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$			
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$			
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$		$\sum_j X_2^{(j)}$		
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$			$\sum_j X_3^{(j)}$	
				Reduce -scatter			
Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0$				$X_0$	$X_0$	$X_0$	$X_0$
	$X_1$			$\rightarrow X_1$	$X_1$	$X_1$	$X_1$
		$X_2$		$X_2$	$X_2$	$X_2$	$X_2$
			$X_3$	$X_3$	$X_3$	$X_3$	$X_3$
				All-gather			
Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$
				All-reduce			

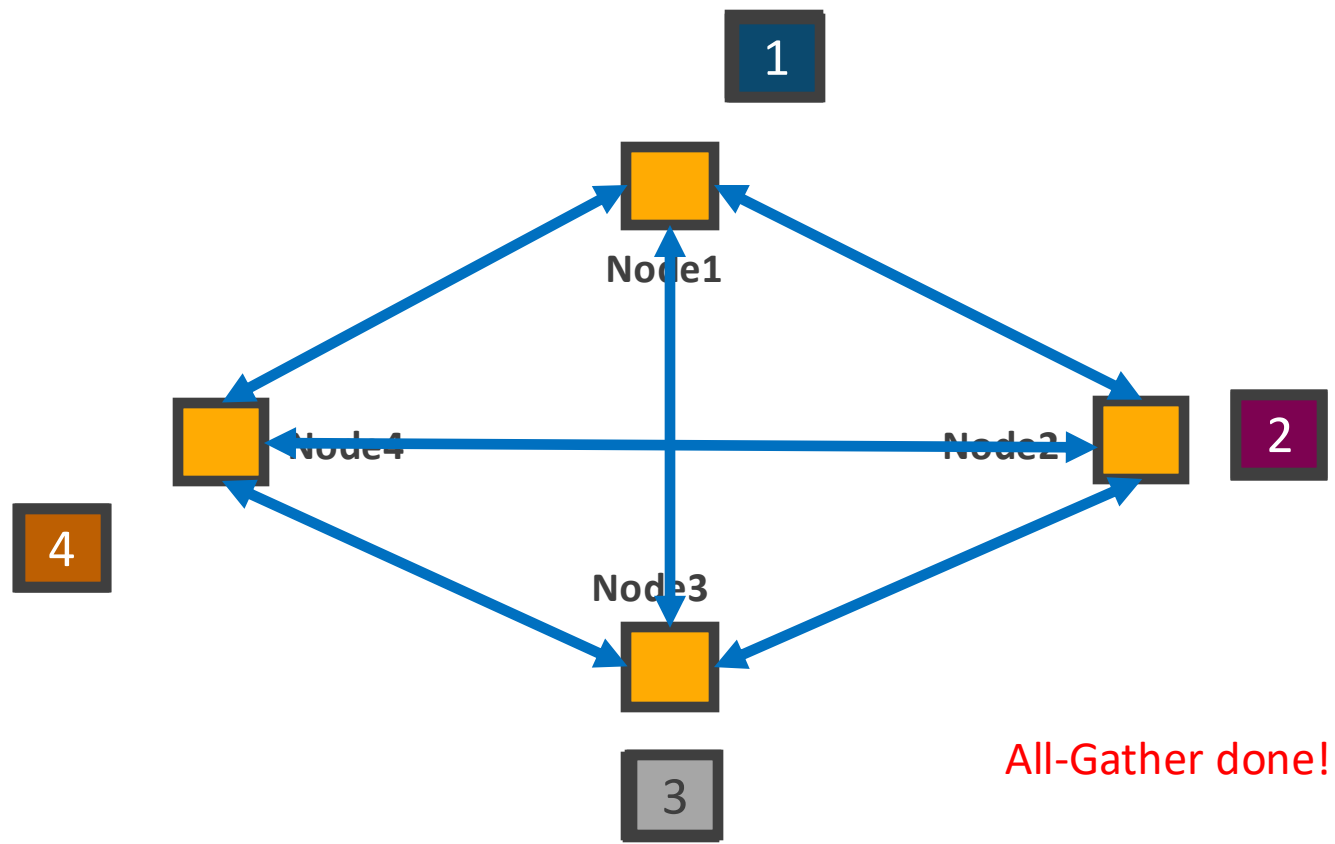
# Example: Direct All-Reduce



Reduce-Scatter done!

Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$			
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$			
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$		$\sum_j X_2^{(j)}$		
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$			$\sum_j X_3^{(j)}$	
				Reduce-scatter			
Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0$				$X_0$	$X_0$	$X_0$	$X_0$
	$X_1$			$\rightarrow X_1$	$X_1$	$X_1$	$X_1$
		$X_2$		$X_2$	$X_2$	$X_2$	$X_2$
			$X_3$	$X_3$	$X_3$	$X_3$	$X_3$
				All-gather			
Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$
				All-reduce			

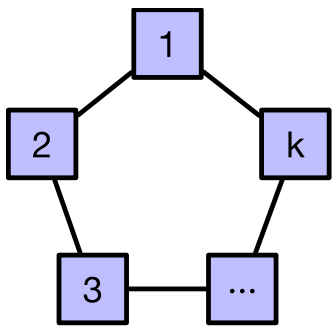
# Example: Direct All-Reduce



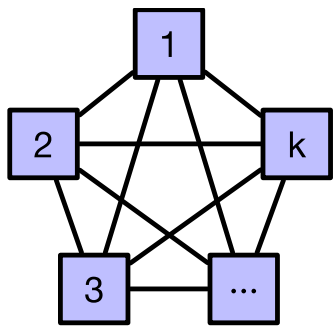
All-Gather done!

Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$			
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$			
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$		$\sum_j X_2^{(j)}$		
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$			$\sum_j X_3^{(j)}$	
				Reduce			
				-scatter			
Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0$				$X_0$	$X_0$	$X_0$	$X_0$
	$X_1$			$\rightarrow X_1$	$X_1$	$X_1$	$X_1$
		$X_2$		$X_2$	$X_2$	$X_2$	$X_2$
			$X_3$	$X_3$	$X_3$	$X_3$	$X_3$
				All-gather			
Node	Node	Node	Node	Node	Node	Node	Node
0	1	2	3	0	1	2	3
$X_0^{(0)}$	$X_0^{(1)}$	$X_0^{(2)}$	$X_0^{(3)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$	$\sum_j X_0^{(j)}$
$X_1^{(0)}$	$X_1^{(1)}$	$X_1^{(2)}$	$X_1^{(3)}$	$\rightarrow \sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$	$\sum_j X_1^{(j)}$
$X_2^{(0)}$	$X_2^{(1)}$	$X_2^{(2)}$	$X_2^{(3)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$	$\sum_j X_2^{(j)}$
$X_3^{(0)}$	$X_3^{(1)}$	$X_3^{(2)}$	$X_3^{(3)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$	$\sum_j X_3^{(j)}$
				All-reduce			

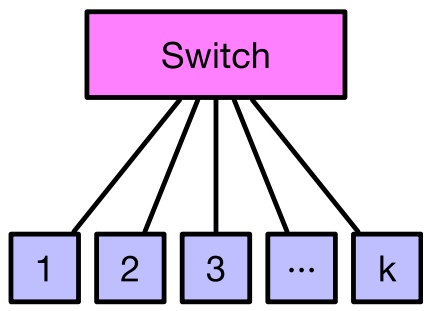
# Topology-aware Collectives



(a) Ring(k)

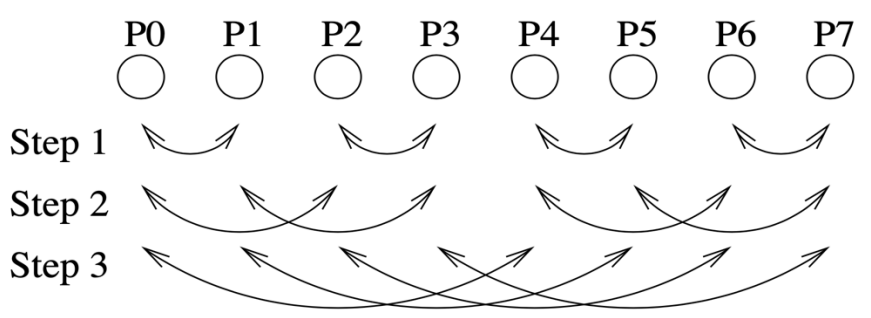


(b) FullyConnected(k)

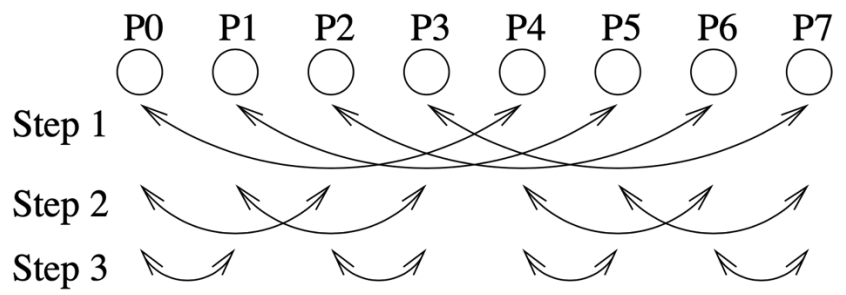


(b) Switch(k)

Topology Building Block	Topology-aware Collective Algorithm
Ring	Ring
FullyConnected	Direct
Switch	HalvingDoubling



a) Reduce-Scatter phases



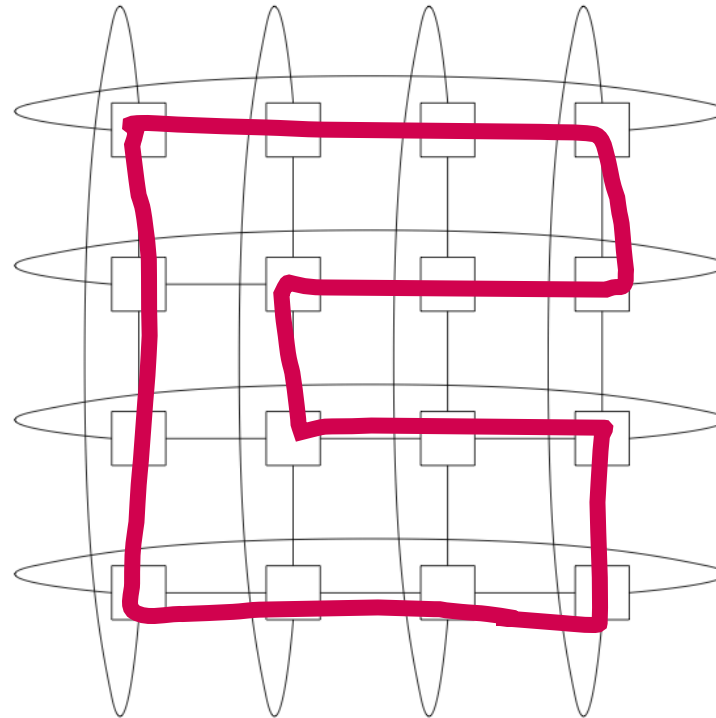
b) All-gather phases



# Topology-aware Collective Algorithms

- Optimal collective algorithm heavily depends on network topology
  - Simple collective algorithms will not directly map

**Ring Algorithm**

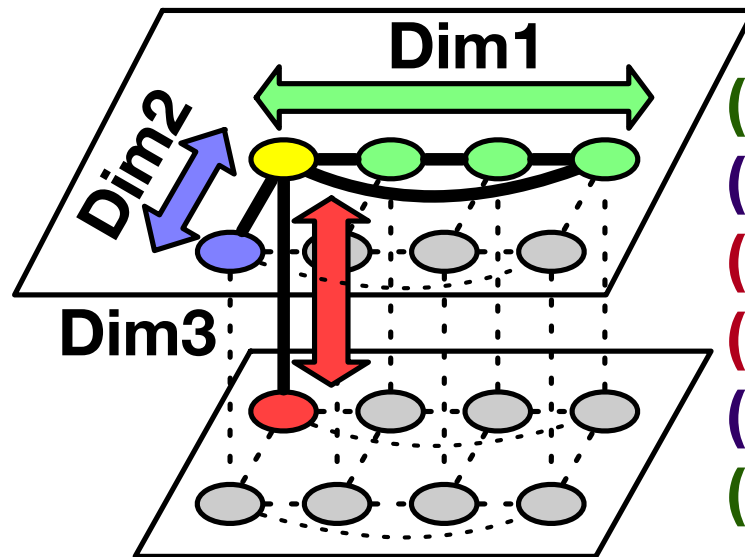


**Network Underutilization!!**

**Physical Topology: 2D Torus**

# Multi-dimensional Collective Algorithm

- **Phased approach** of Reduce-Scatter and All-Gather



- (1) **Dim 1: Reduce-Scatter**
- (2) **Dim 2: Reduce-Scatter**
- (3) **Dim 3: Reduce-Scatter**
- (4) **Dim 3: All-Gather**
- (5) **Dim 2: All-Gather**
- (6) **Dim 1: All-Gather**

# Distributed Training Stack

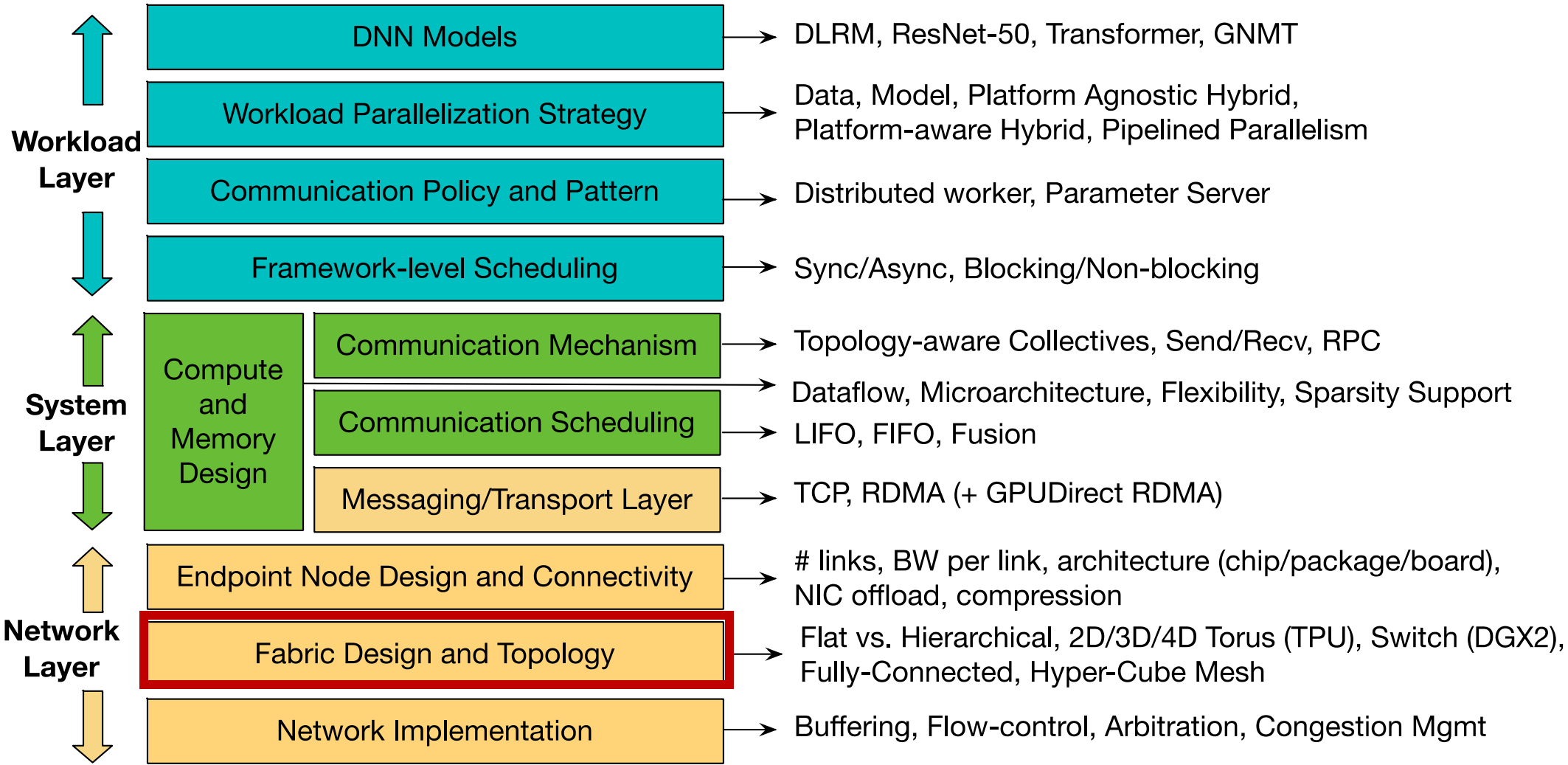
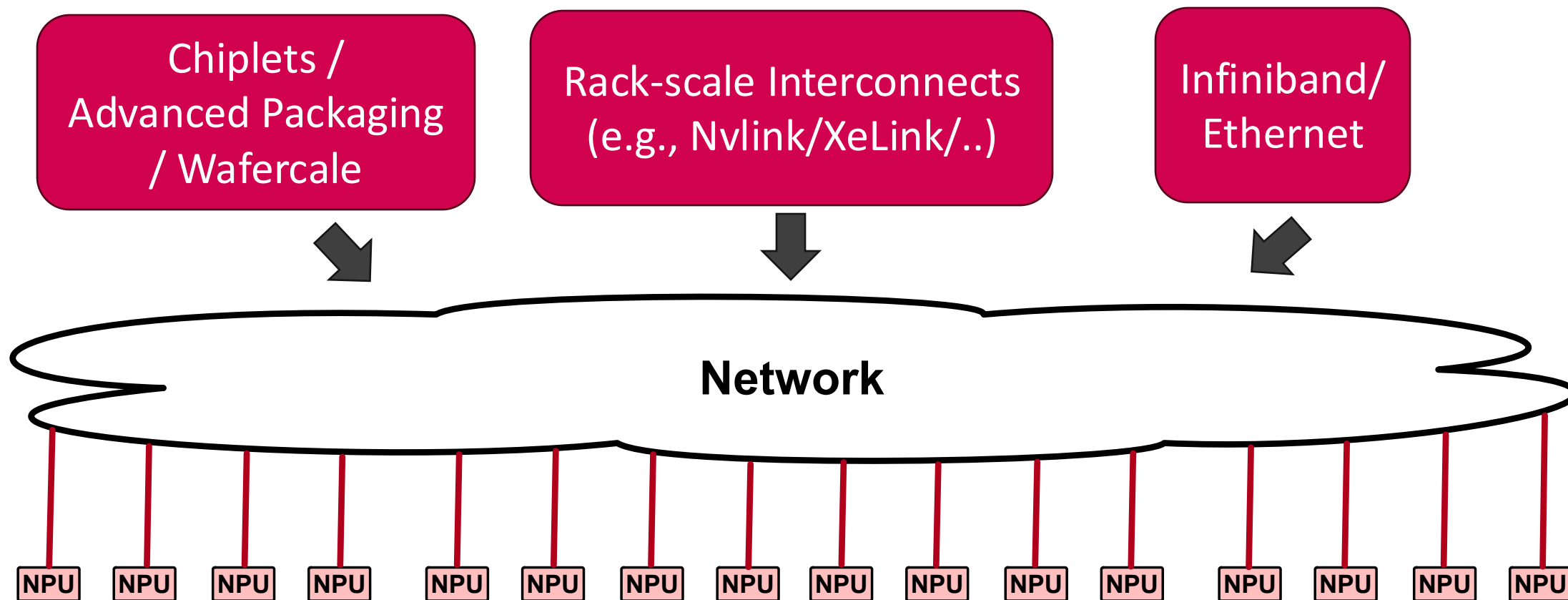
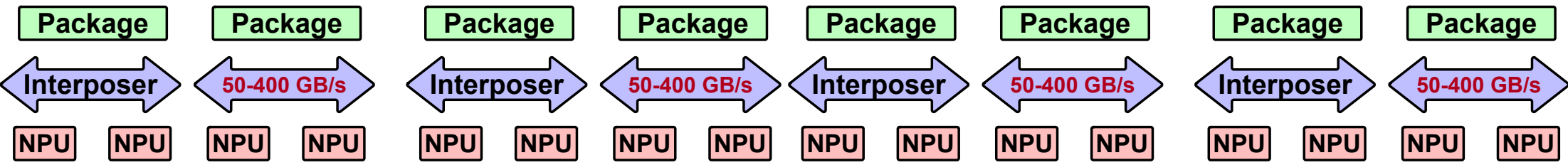


Figure Courtesy: Srinivas Sridharan (Facebook)

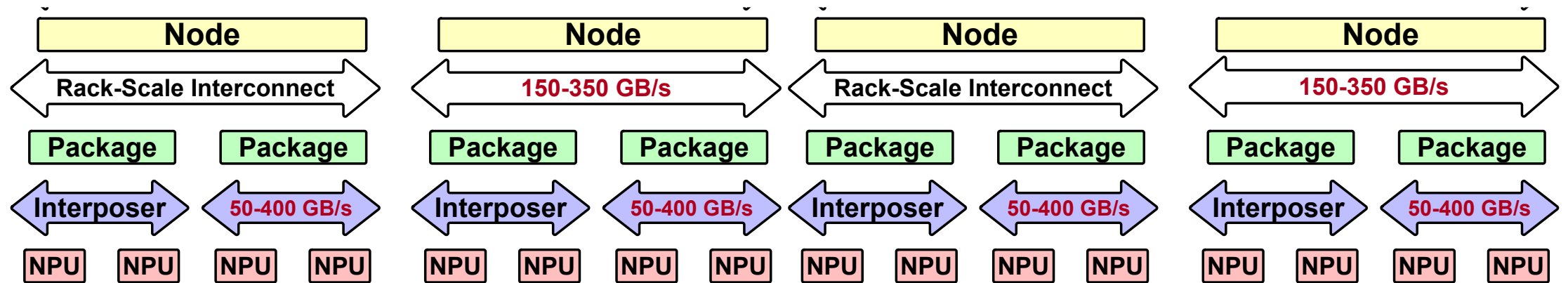
# Networking Technologies



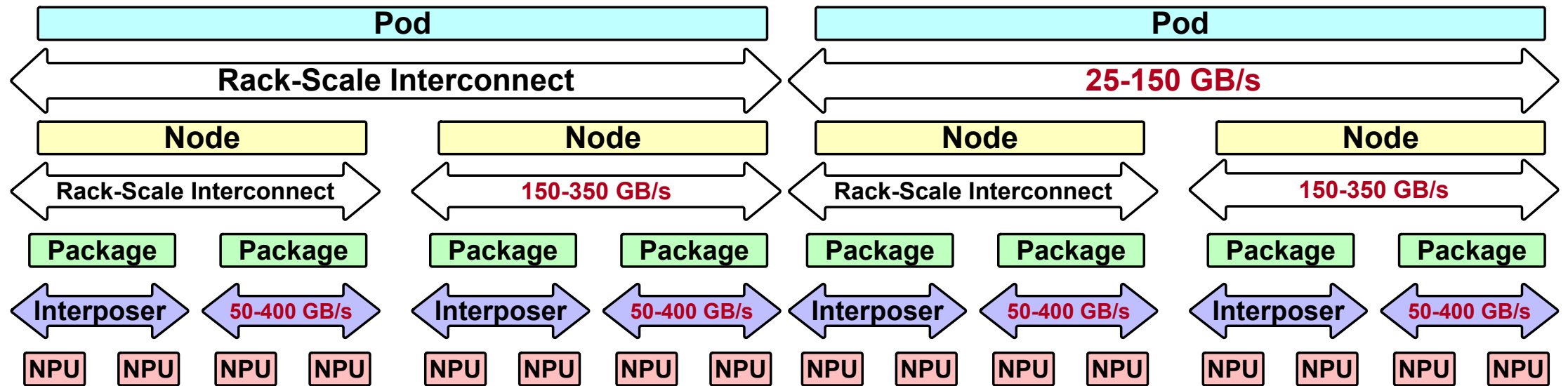
# Hierarchical Network Architectures



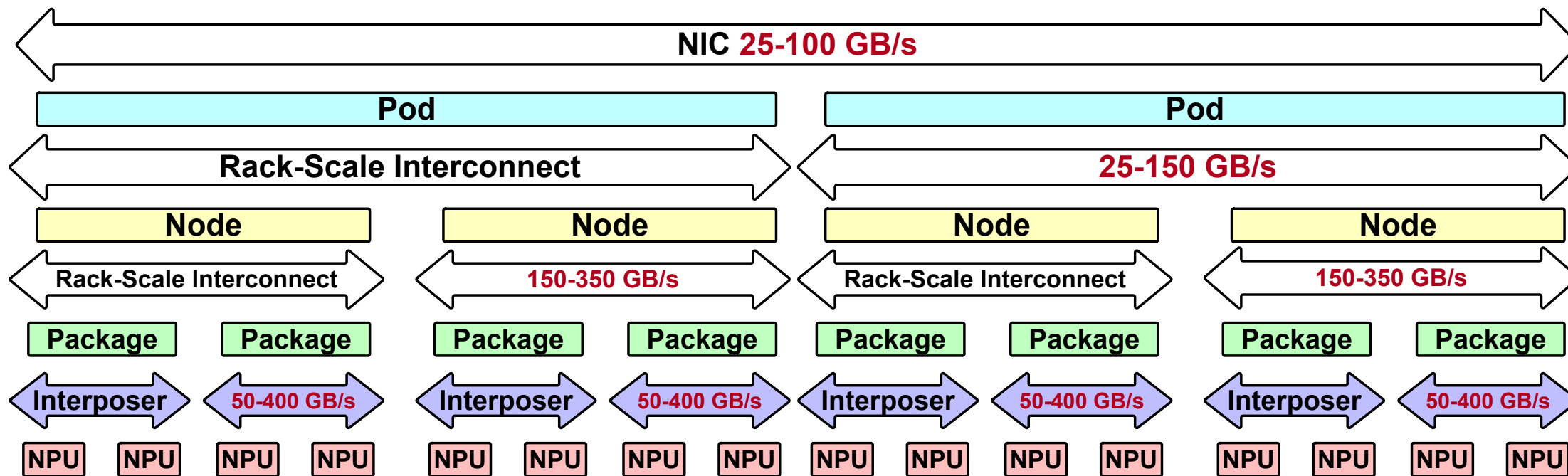
# Hierarchical Network Architectures



# Hierarchical Network Architectures



# Hierarchical Network Architectures

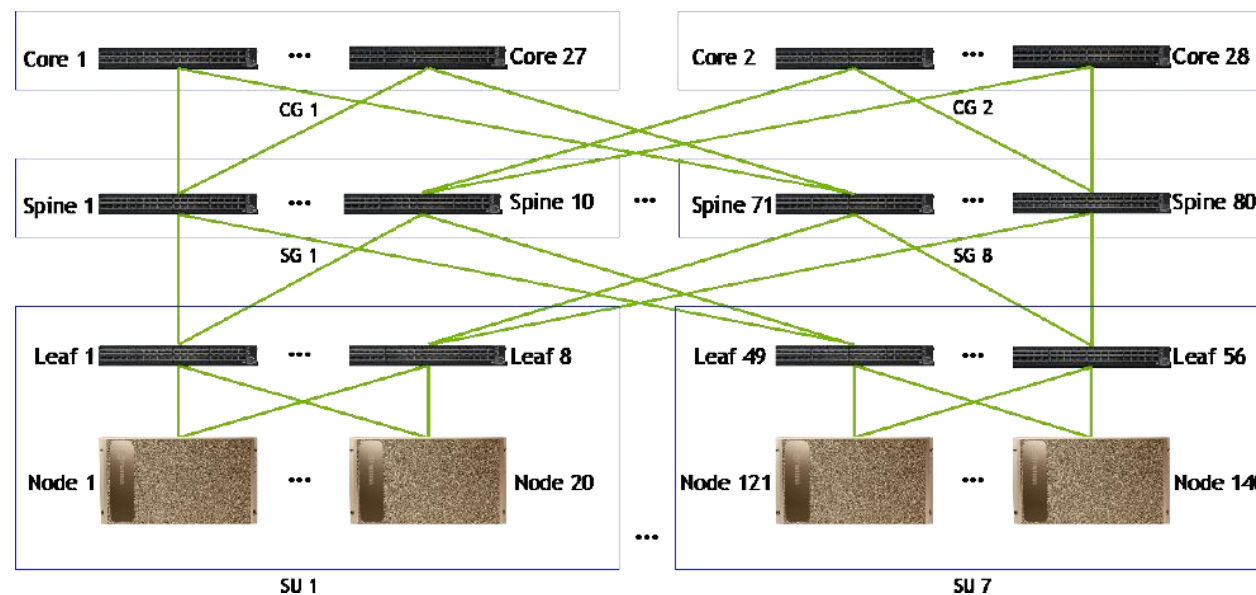




# NVIDIA DGX SuperPod



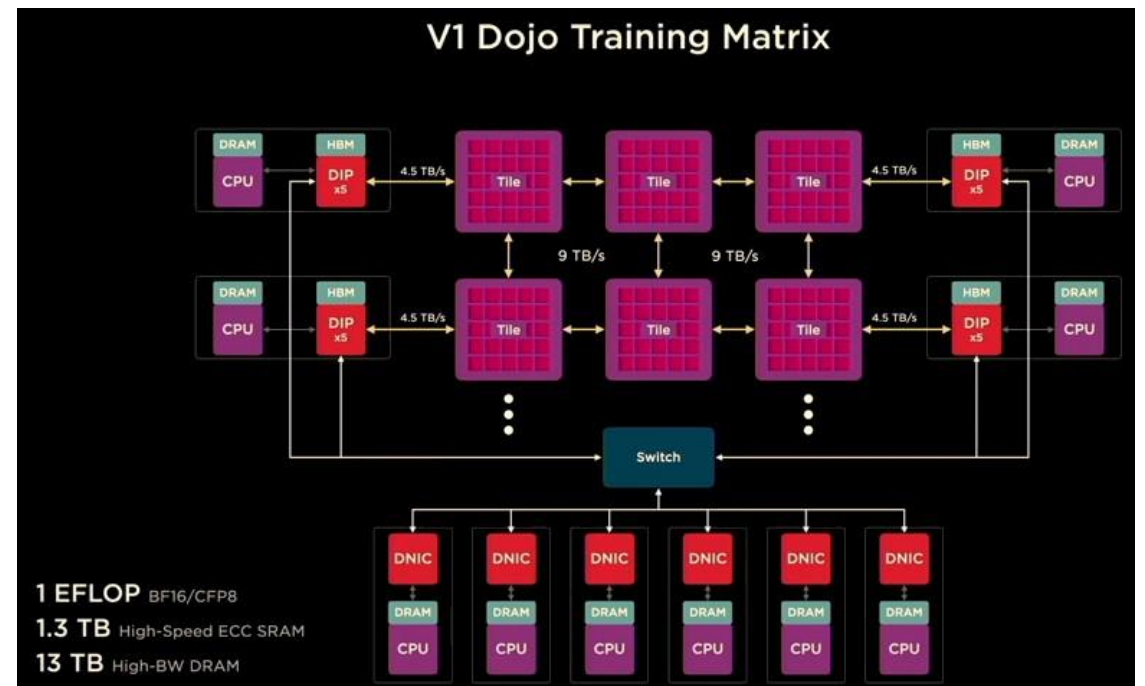
- Multi-level switches



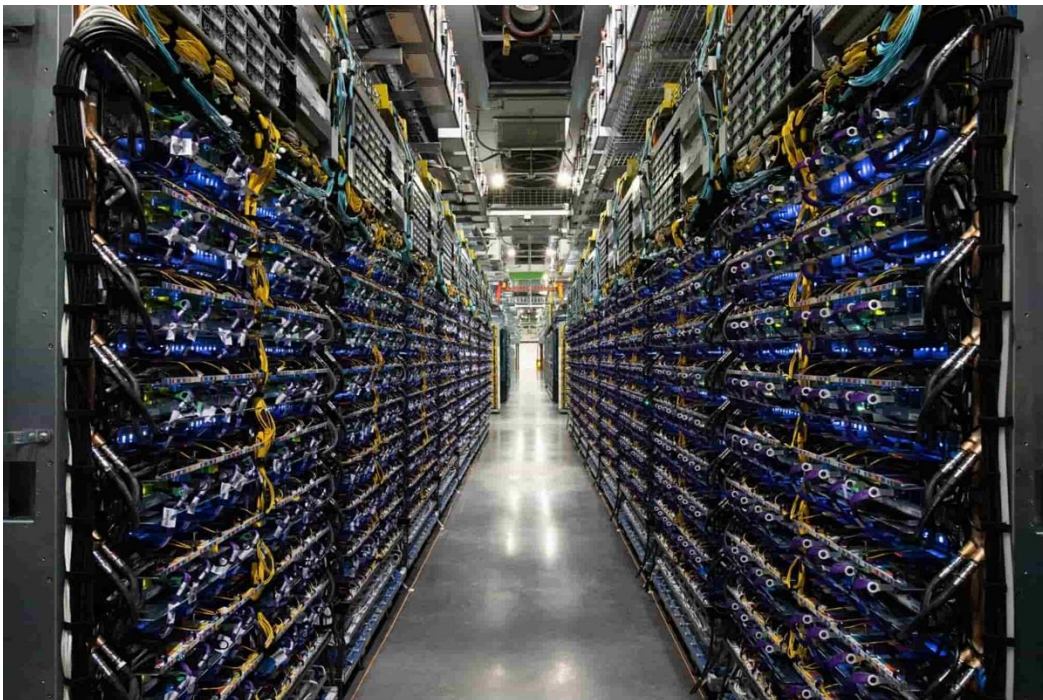
# Tesla Dojo ExaPOD



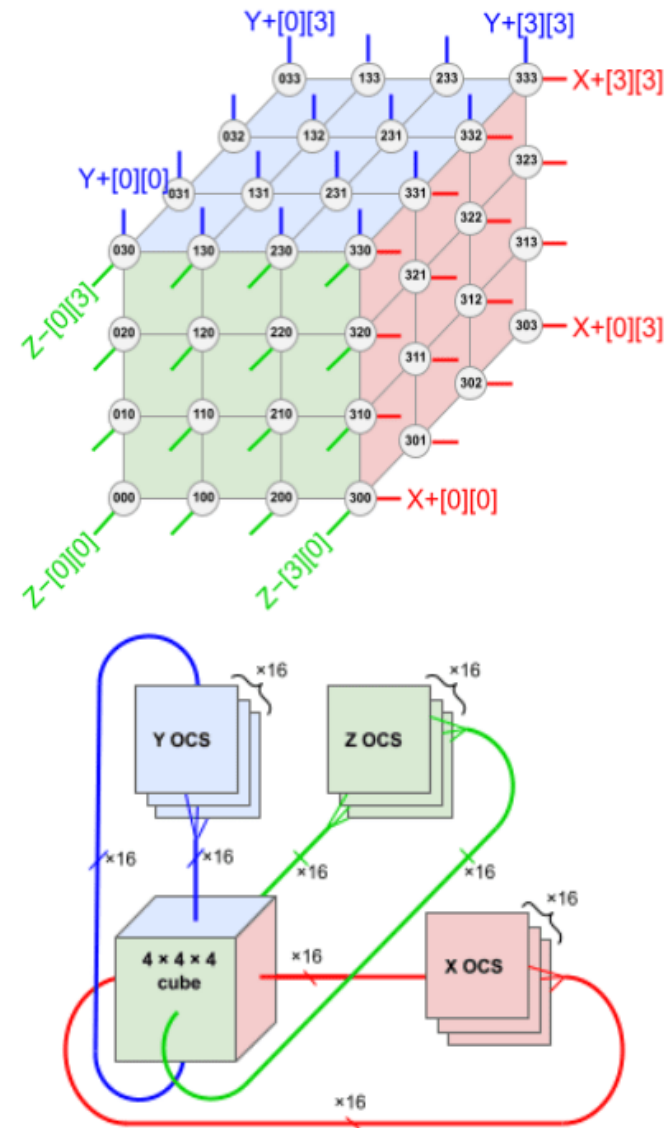
- Scale-out Mesh Network



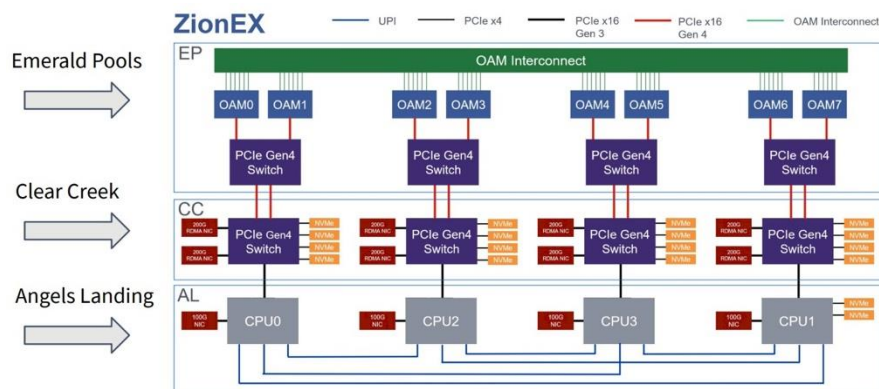
# Google Cloud TPU v4



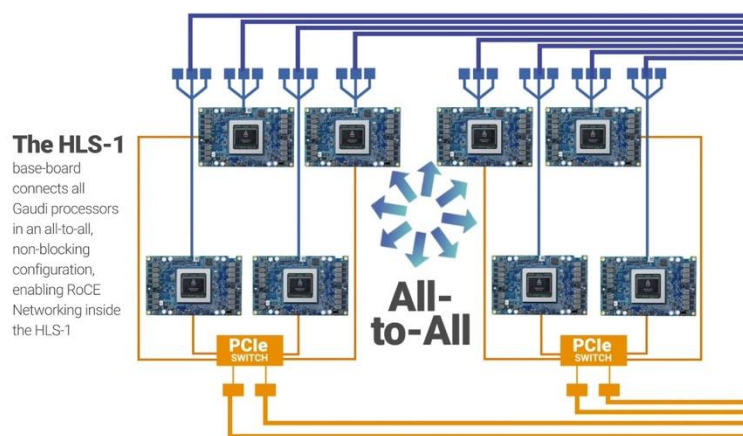
- 3D Torus + Optical Networks



# State-of-the-art Training Clusters

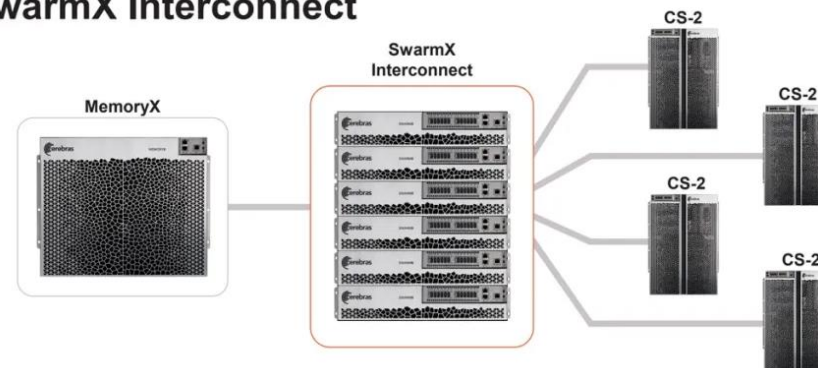


Meta ZionEX

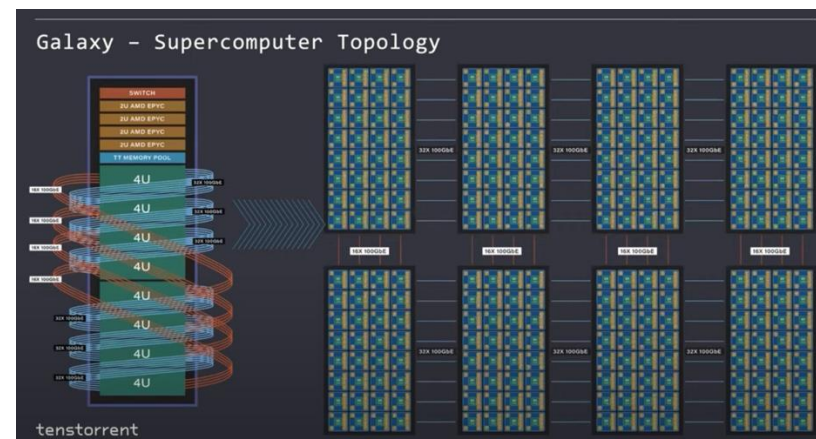


Intel Habana HLS-1

SwarmX Interconnect



Cerebras SwarmX



Tenstorrent  
Wormhole

# Distributed Training Stack

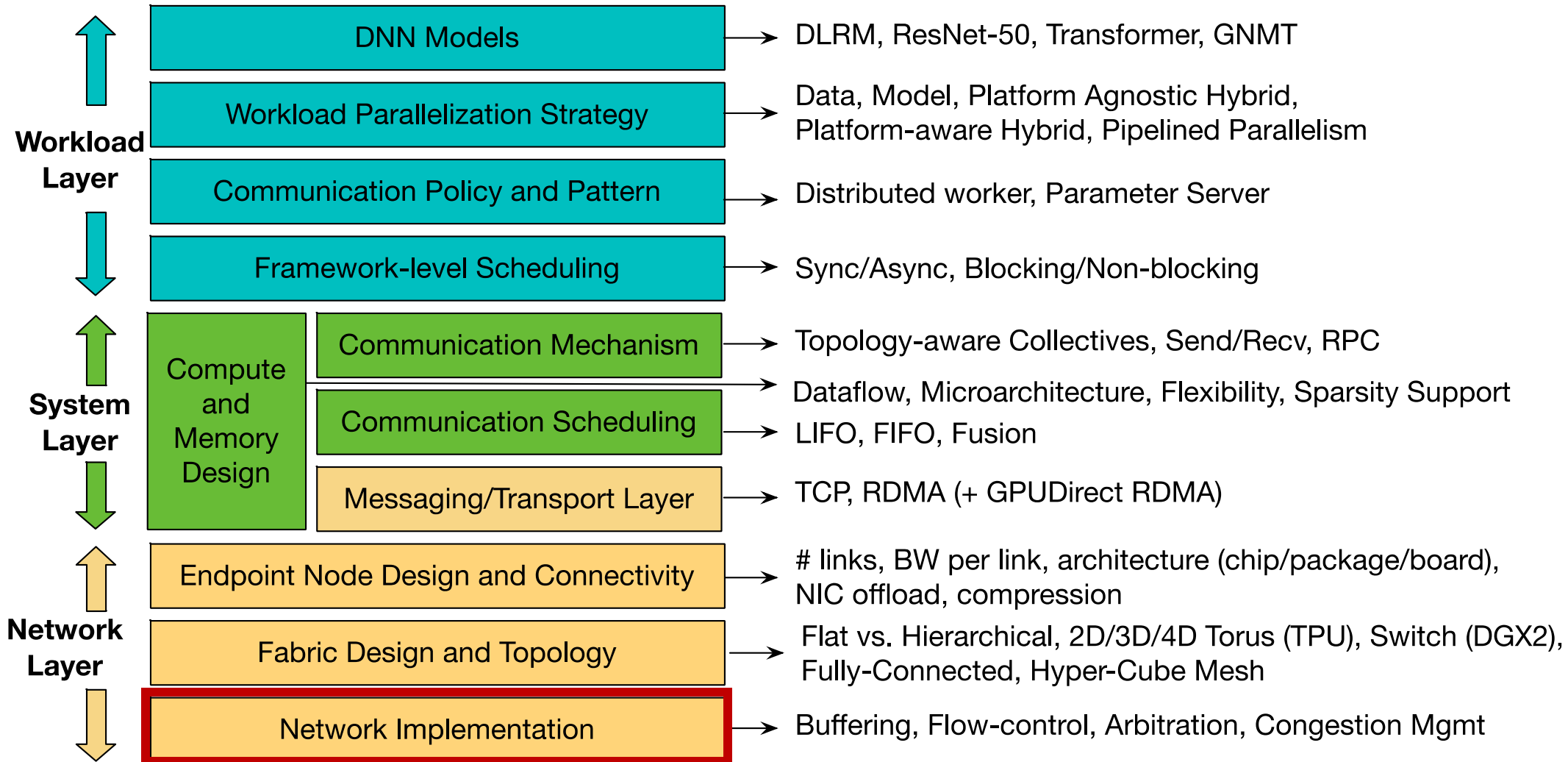
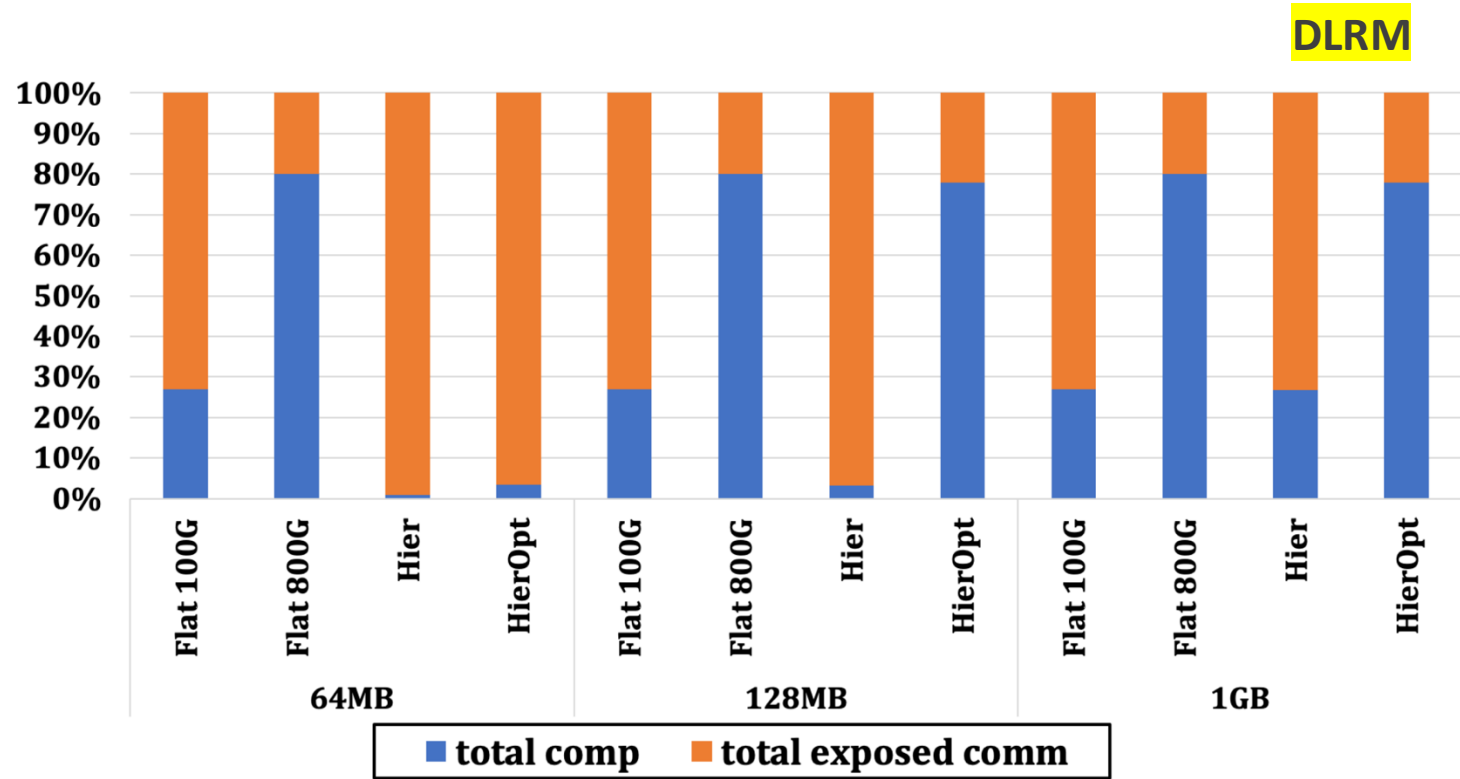


Figure Courtesy: Srinivas Sridharan (NVIDIA)

# Effect of Size of Switch Buffer

## Observations:

- Flat vs. Hierarch different Sensitivity to global switch size



S. Rashidi, et al., "Scalable Distributed Training of Recommendation Models: An ASTRA-SIM + NS3 case-study with TCP/IP transport", Hot Interconnects 2020

# Summary and Takeaways

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- Large Model distributed ML is an ongoing open-research area
- Many emerging supercomputing systems being designed specifically for this problem!
  - NVIDIA HGX + (Mellanox) SHARP switches
  - Cerebras CS2
  - Tesla Dojo
  - Intel Habana
  - IBM Blueconnect
  - ...
- Co-design of algorithm and system offers high opportunities for speedup and efficiency